

Onboard Contextual Classification of 3-D Point Clouds with Learned High-order Markov Random Fields

Daniel Munoz

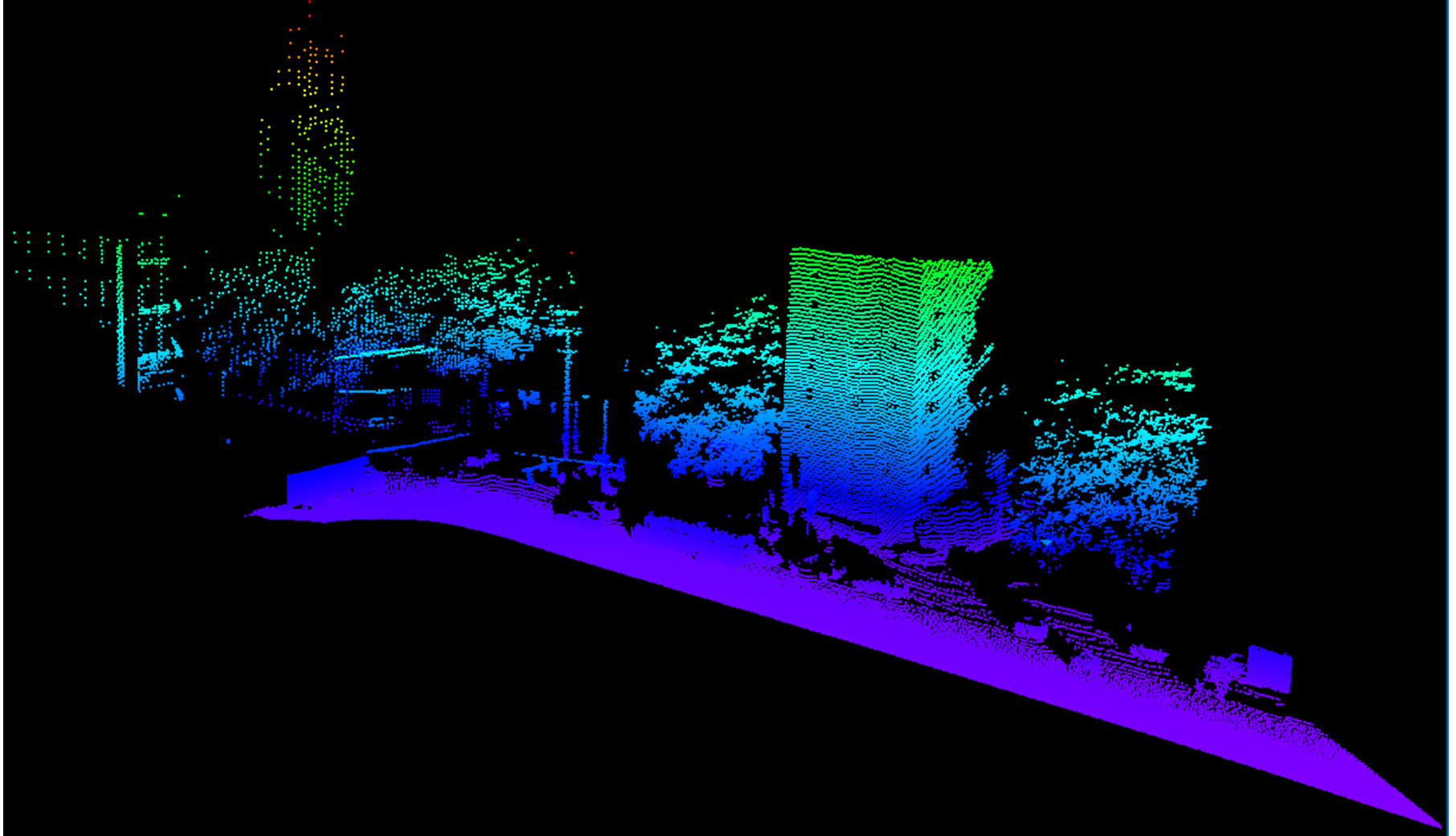
Nicolas Vandapel

Martial Hebert



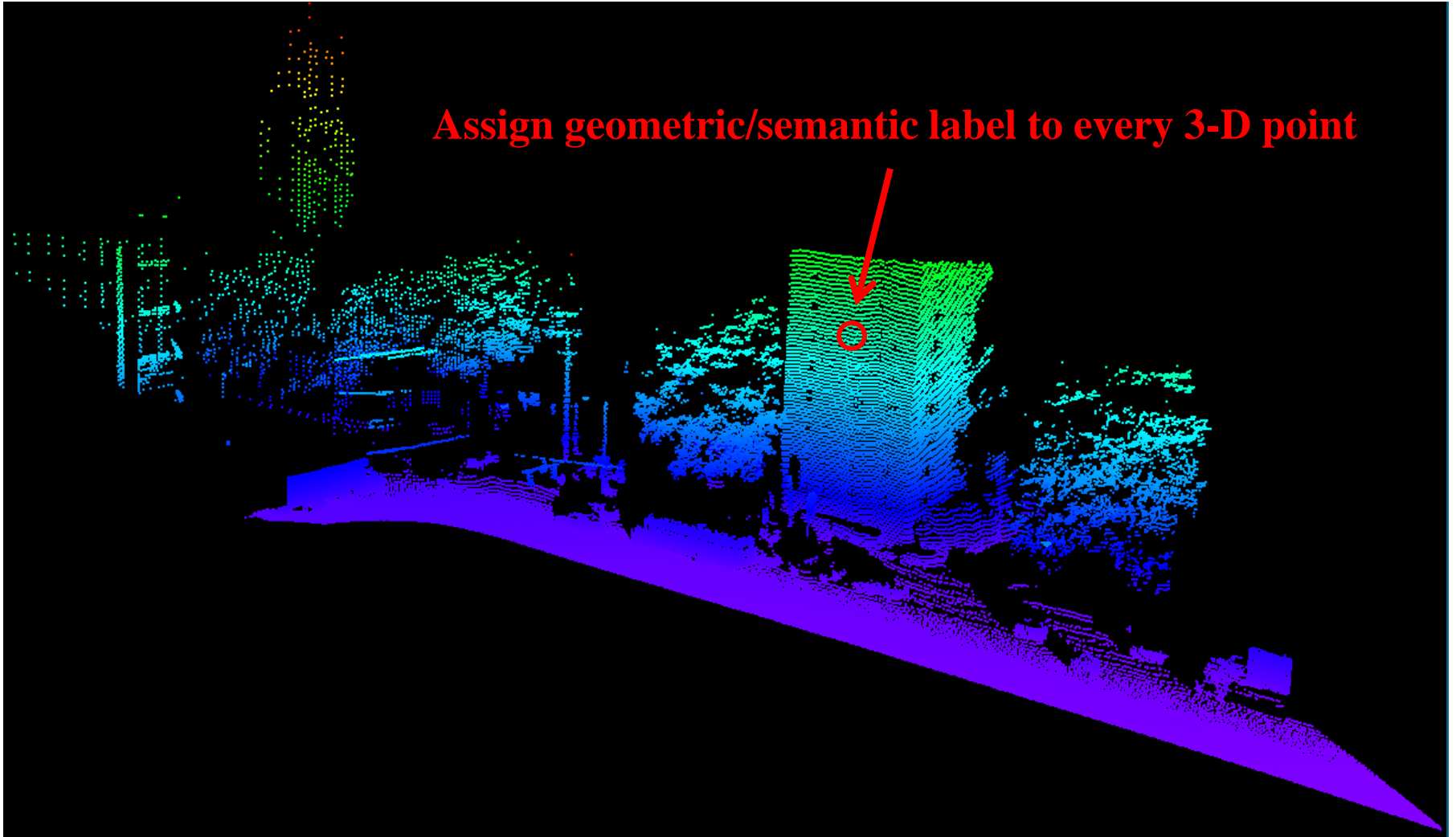
Carnegie Mellon
THE ROBOTICS INSTITUTE

Example of 3-D point cloud

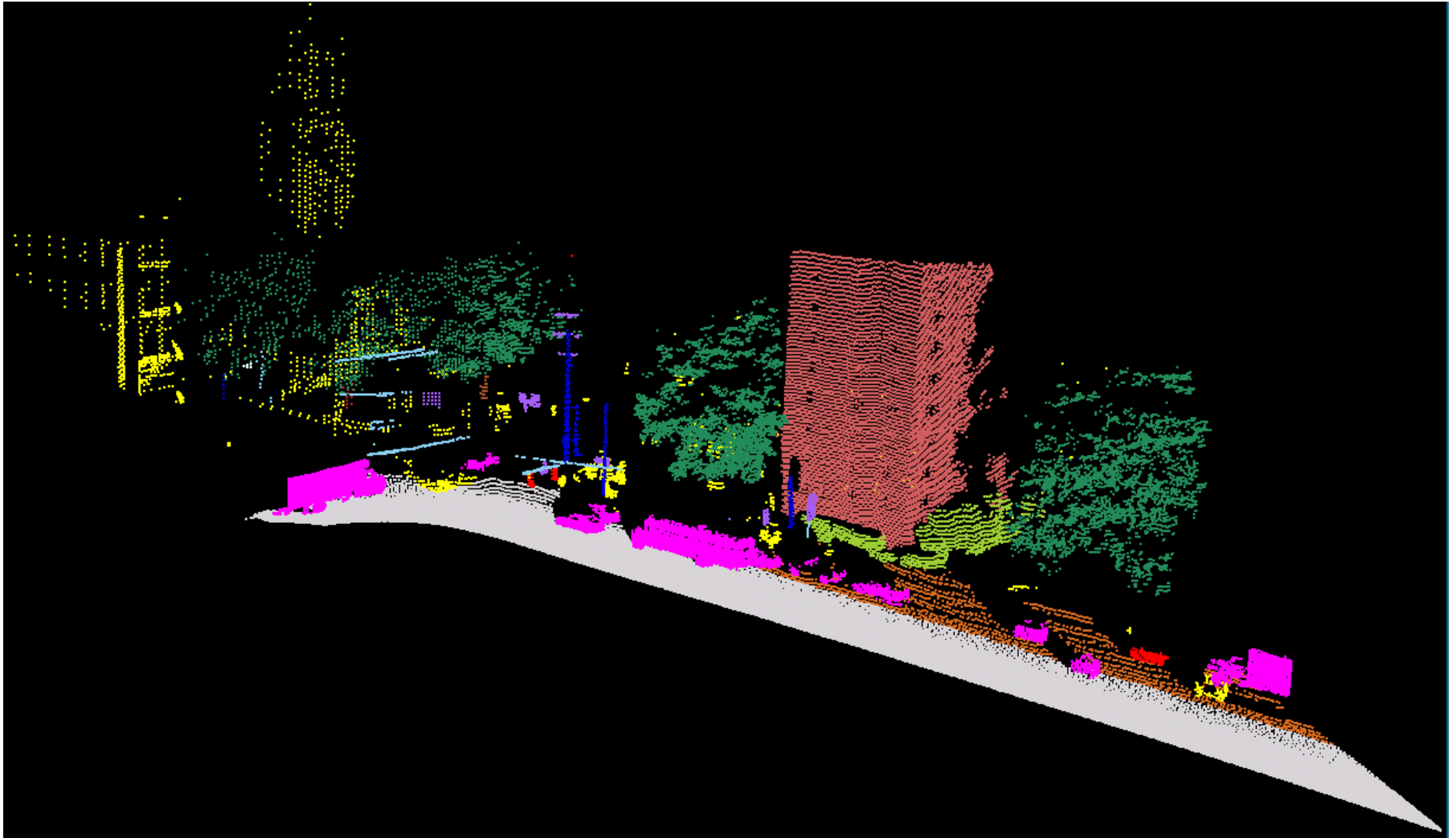


Problem: Automated 3-D point labeling

Assign geometric/semantic label to every 3-D point

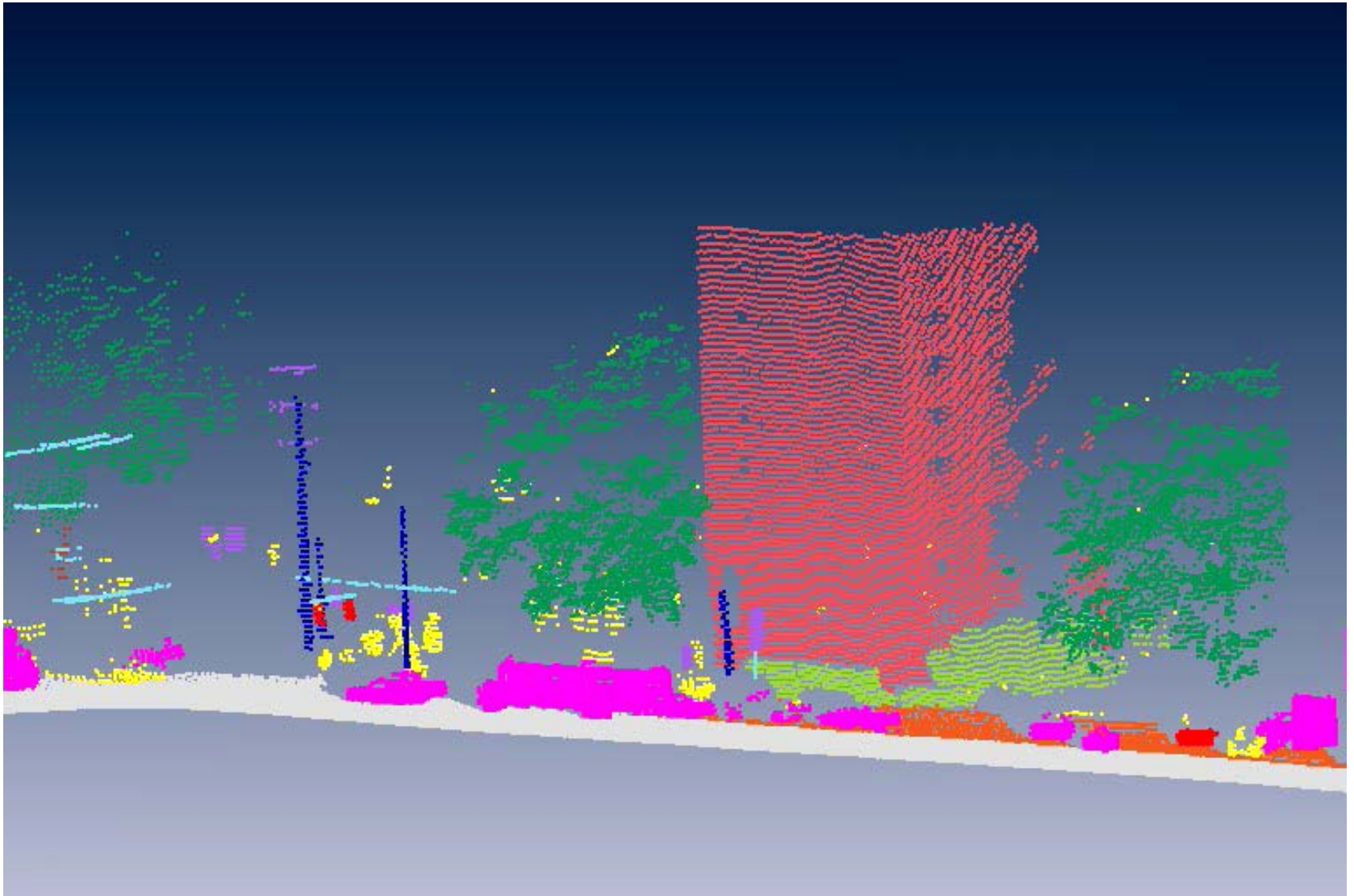


Problem: Automated 3-D point labeling



Hand labeled data

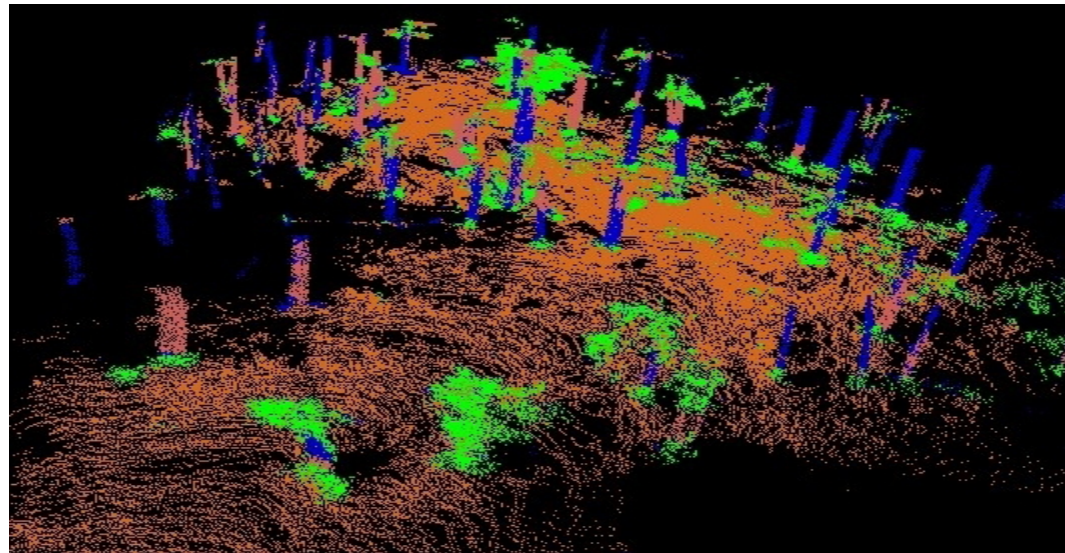
Problem: Automated 3-D point labeling



Hand labeled data

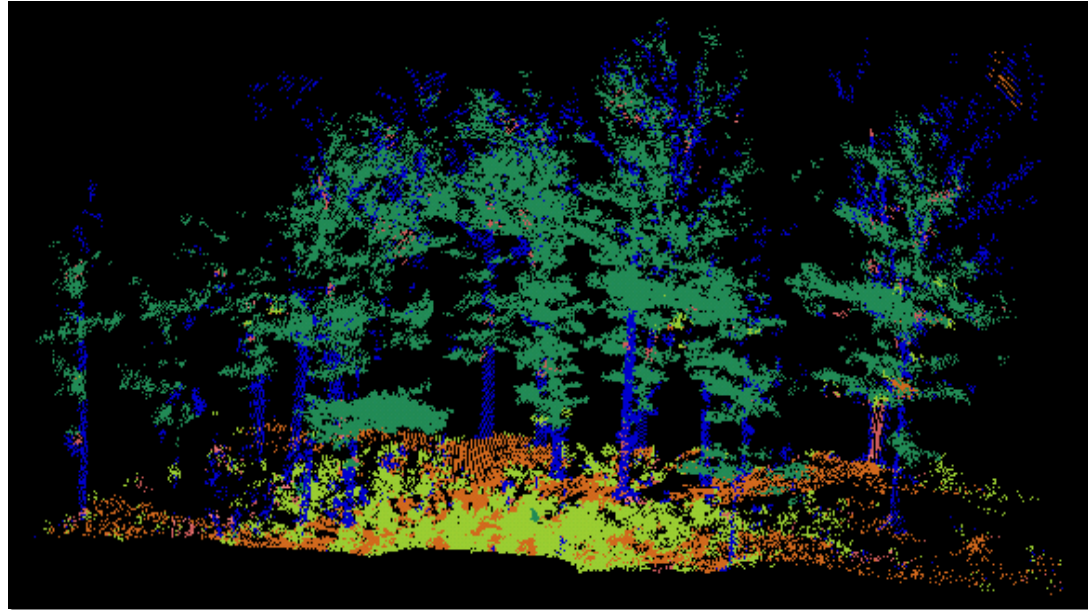
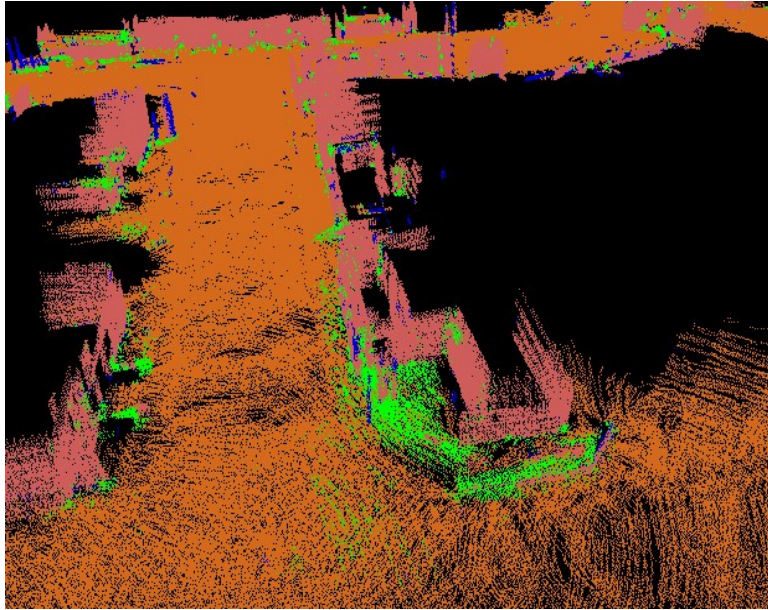
Problem: Automated 3-D point labeling

- ❑ Do it onboard

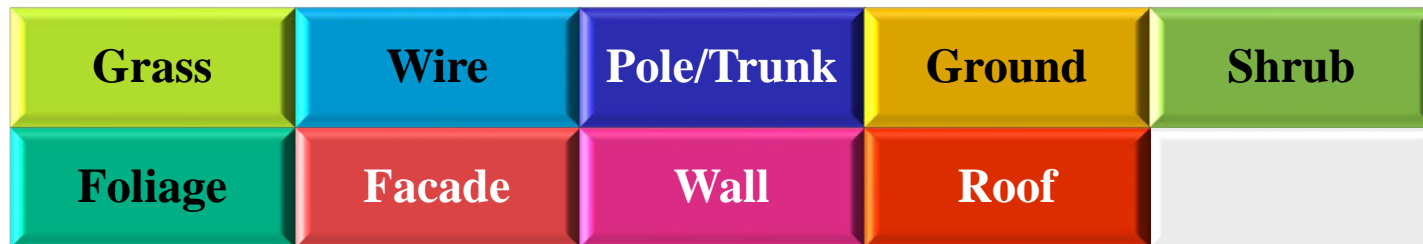


Scene understanding for autonomous vehicle navigation

- ❑ **Environments:** urban and natural settings



- ❑ **Labels**



- ❑ **Purpose:** environment modeling, obstacle detection

Challenges

- ❑ Mobility laser data only
- ❑ Onboard data processing
 - Process continuously streaming data, over 100 K pts/s
 - Real-time data processing
 - Vehicle speed up to 6 m/s (20 km/h)



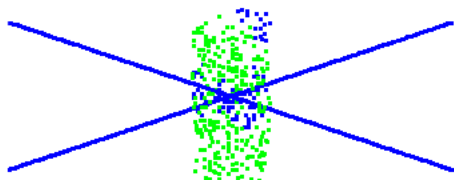
**Demo-III eXperimental Unmanned Vehicle
(Demo-III XUV)**

Better

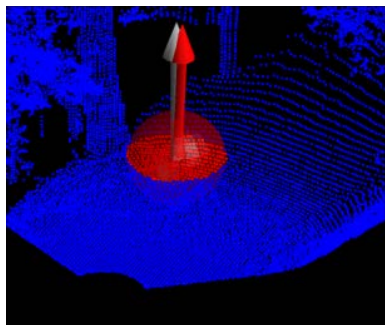
Motivation

Performance & # of classes

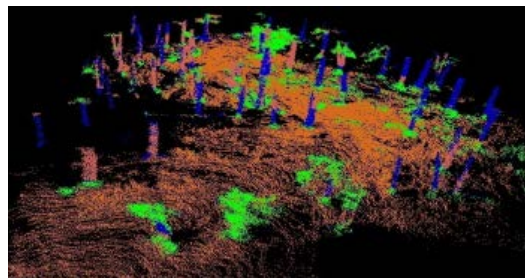
Anisotropic MRF
[munoz-3dpvt-08]



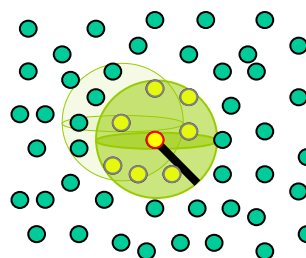
Scale selection
[unnikrishnan-3dpvt-06]
[lalonde-3dim-05]



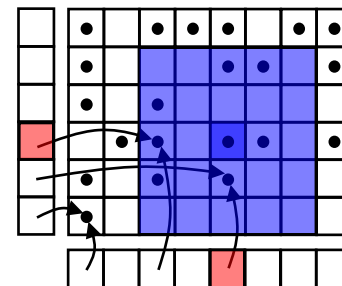
High-order MRF
[munoz-icra-09]



Local classification
[vandapel-icra-04]



Efficient data structure
[lalonde-ijrr-07]

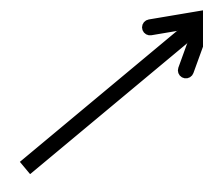


(Off-board)

(On-board)

Computational efficiency

Better



Outline

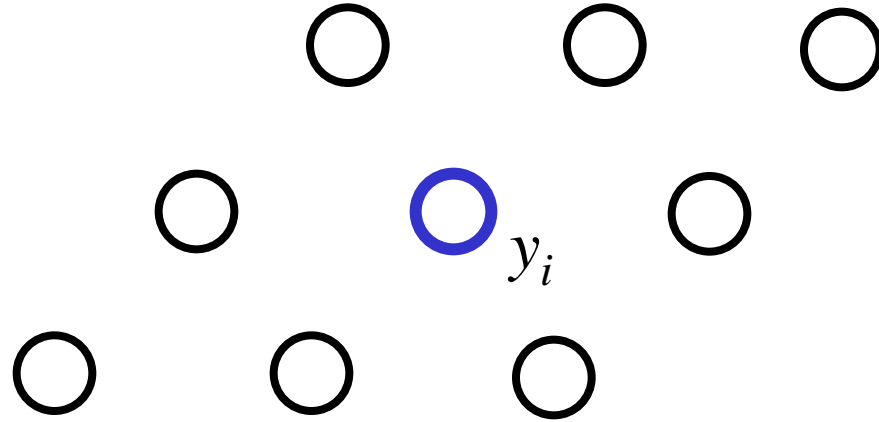
- ❑ Model introduction
- ❑ Contributions
- ❑ Onboard experiments

Model introduction

Local classifiers

$$\mathbf{Y} = \{Y_1, \dots, Y_N\}$$

$$Y_i \in \{\ell_1, \dots, \ell_K\}$$



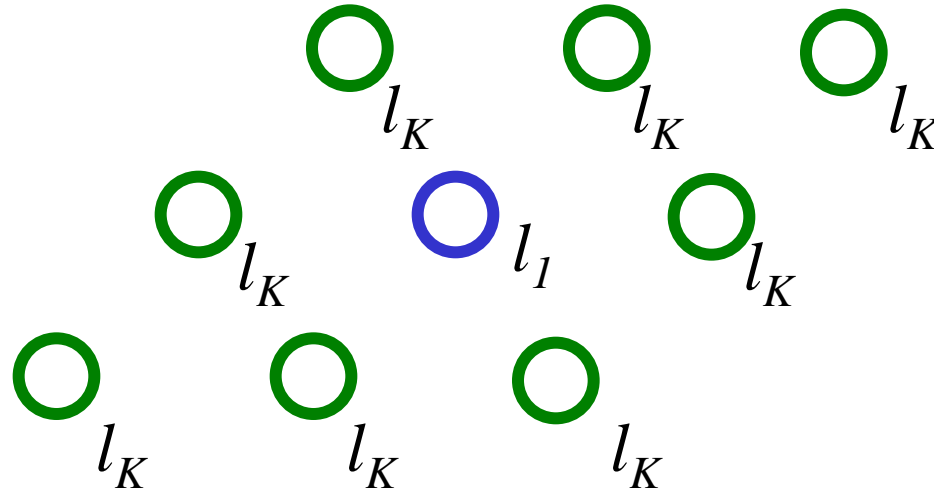
$$E(\mathbf{y}) = \sum_{i=1}^N E_i(y_i)$$

Model introduction

□ Local classifiers

$$\mathbf{Y} = \{Y_1, \dots, Y_N\}$$

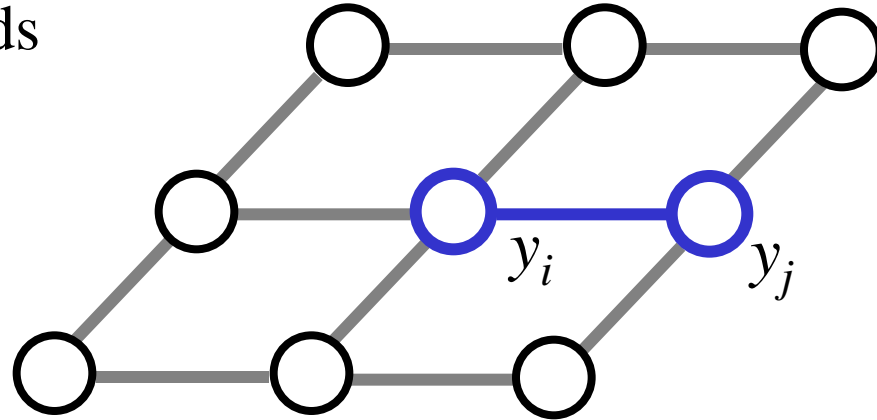
$$Y_i \in \{\ell_1, \dots, \ell_K\}$$



Model introduction

□ Markov Random Fields

$$\mathbf{Y} = \{Y_1, \dots, Y_N\}$$
$$Y_i \in \{\ell_1, \dots, \ell_K\}$$



$$E(\mathbf{y}) = \sum_{i=1}^N E_i(y_i) + \sum_{(ij) \in E} E_{ij}(y_i, y_j)$$

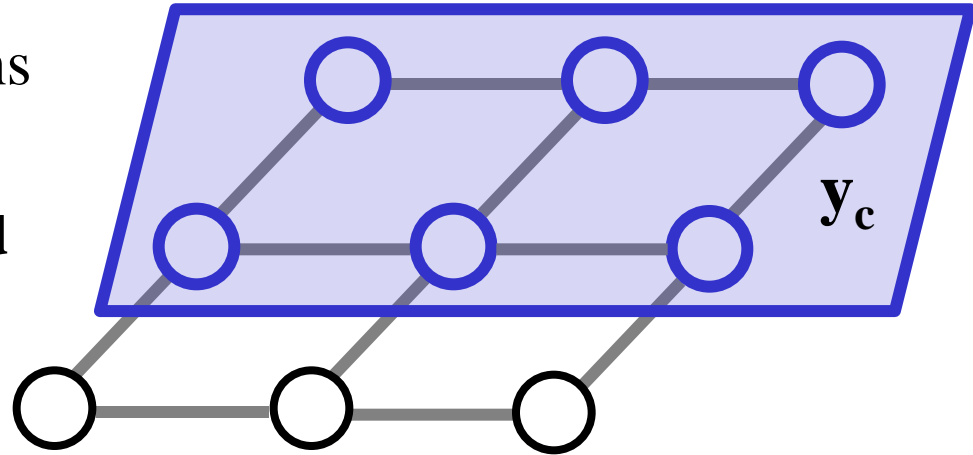
□ Key concepts (see paper for details)

- Each $E_c(\cdot)$ dependent on **features** \mathbf{x} and **label-specific weights** \mathbf{w}
- **Classification:** optimal* labeling \mathbf{y} can be found efficiently
✓ [boykov-pami-01]
- **Learning:** finding \mathbf{w} is a convex optimization problem
✓ [taskar-nips-03, ratliff-aistats-07]

Learning high-order interactions

□ High-order interactions

- [kohli-cvpr-07]
- **Params not learned**



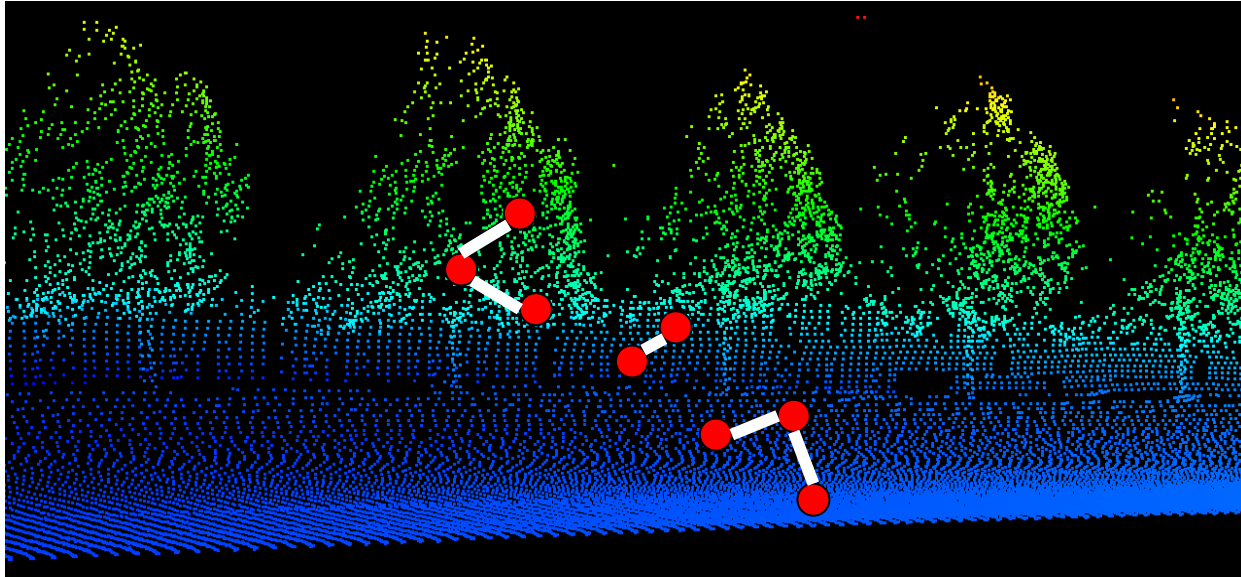
$$E(\mathbf{y}) = \sum_{i=1}^N E_i(y_i) + \sum_{(ij) \in E} E_{ij}(y_i, y_j) + \sum_{c \in \mathcal{S}} E_c(\mathbf{y}_c)$$

□ **This work:** cast E_c under the same learning framework

$$E_c(\mathbf{y}_c) = \begin{cases} \mathbf{w}_c^k \cdot \mathbf{x}_c & \text{if } \forall i \in c, y_i = l_k \\ 0 & \text{otherwise,} \end{cases}$$

Context approximation

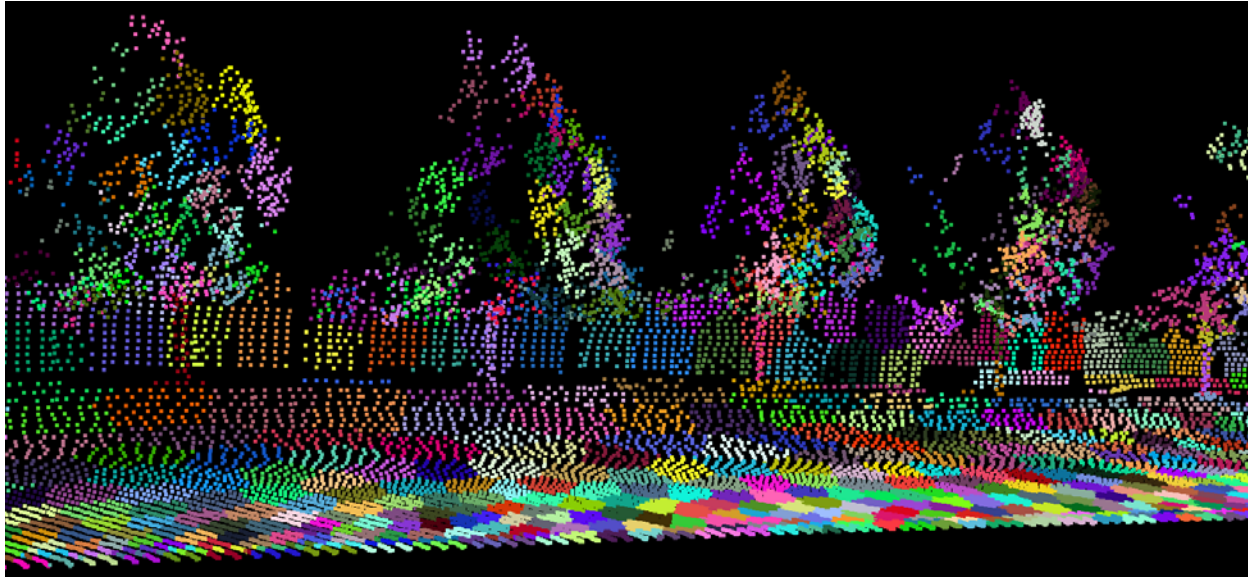
- Are pairwise interactions necessary?



(Edge construction = k-NN)

Context approximation

- Are pairwise interactions necessary?



$$E_c(\mathbf{y}_c) = \begin{cases} \mathbf{w}_c^k \cdot \mathbf{x}_c & \text{if } \forall i \in c, y_i = l_k \\ 0 & \text{otherwise,} \end{cases}$$

Counter-intuitive:
High-order inference is fast

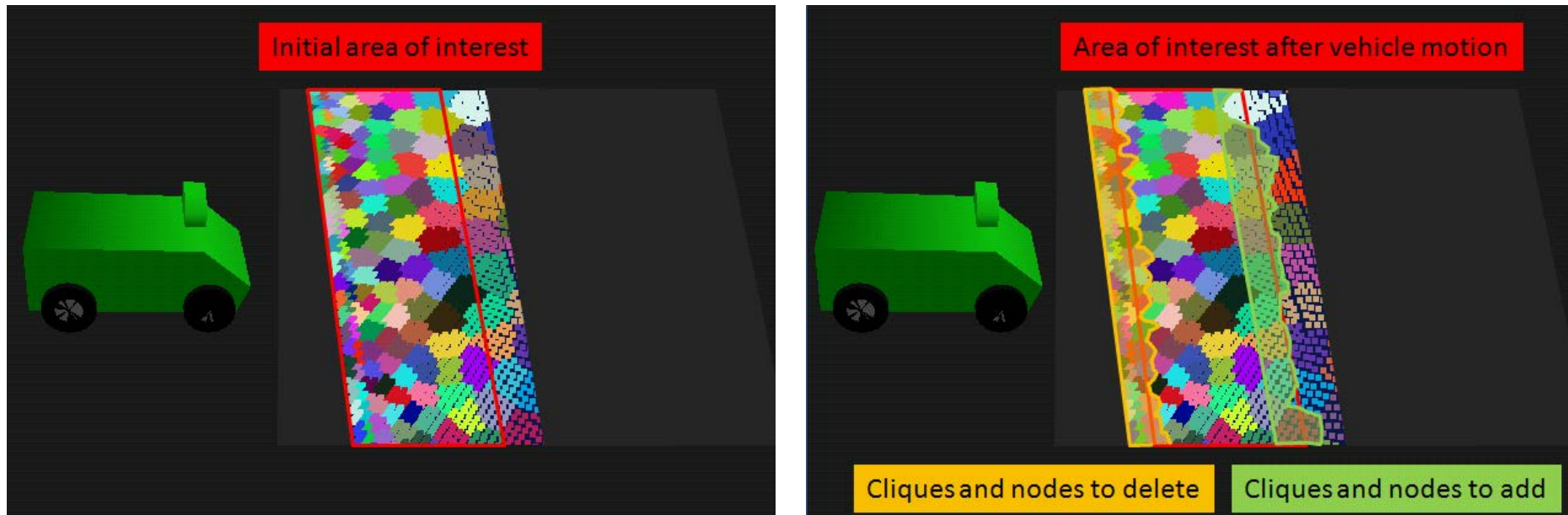
(High-order clique construction = k-means clustering)

- Classification comparison vs k-NN pairwise model
 - 1.2 M ground truth points

vs	Accuracy rate	Computation speedup (off-board)
5-NN	Slightly worse (87% vs 89%)	10x faster
3-NN	Similar (87% vs 88%)	2x faster

Onboard Classification

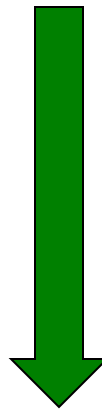
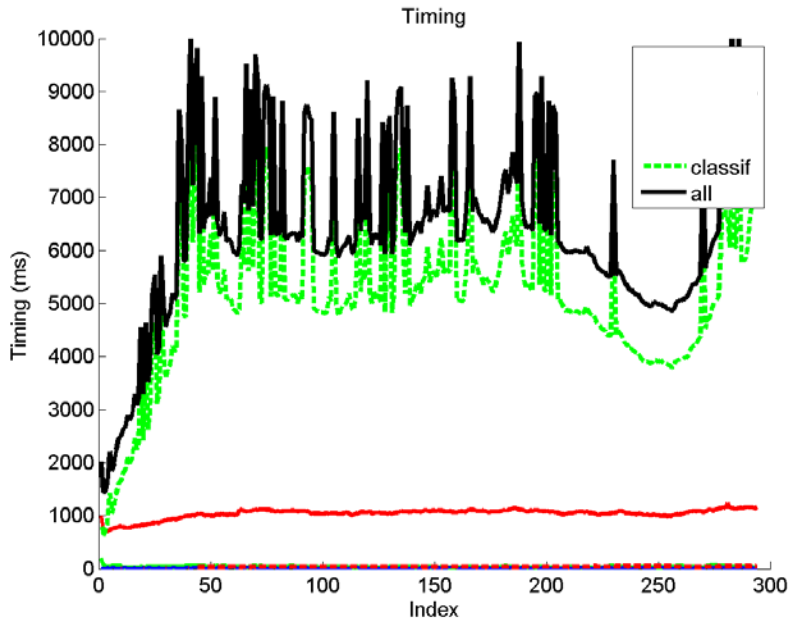
- ❑ Dynamic random field structure



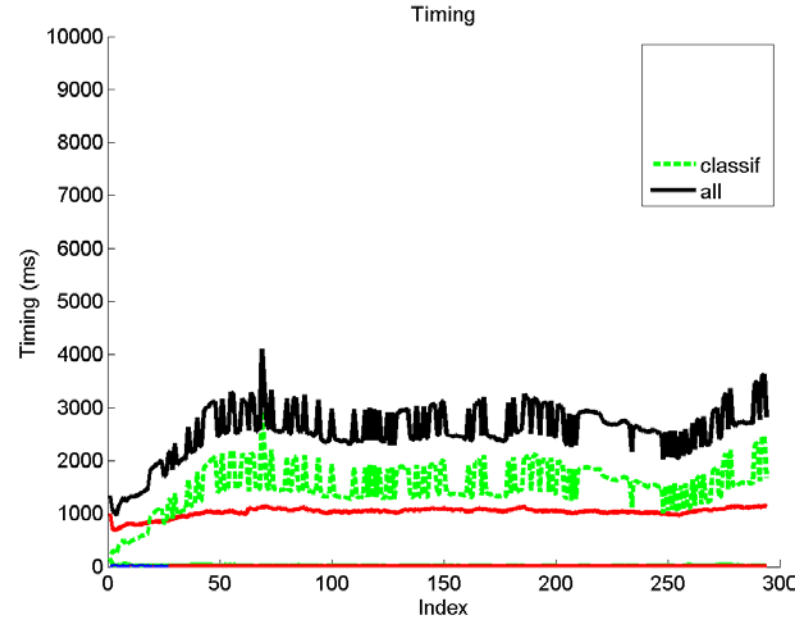
- ❑ Simple and efficient

Onboard verification

Comparison



Better



Pairwise (3-NN)

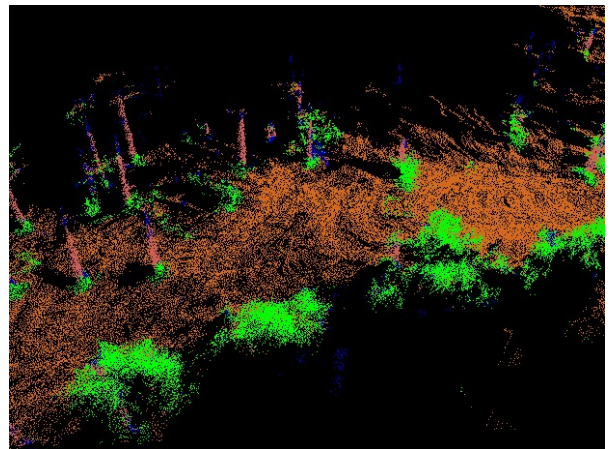
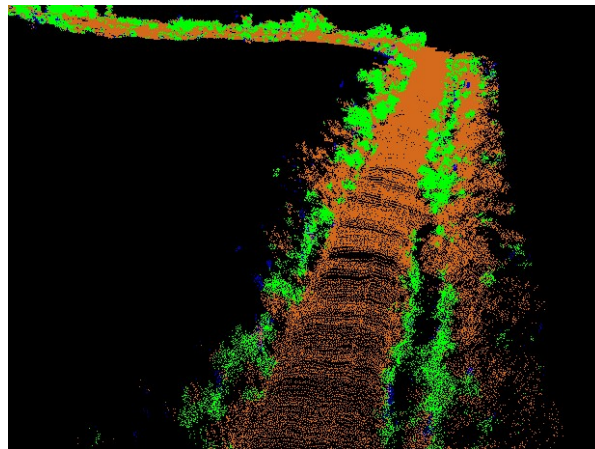
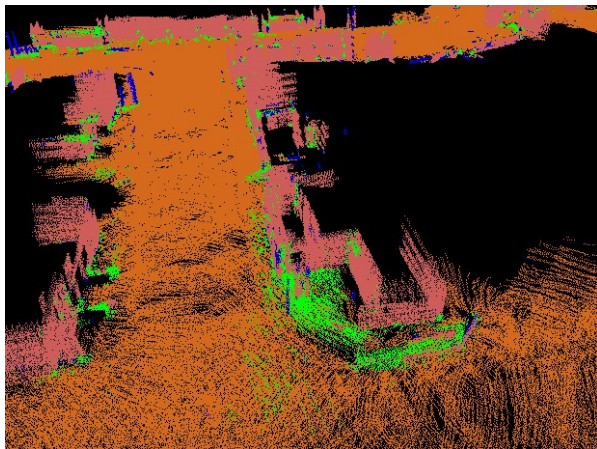
Proposed

- **Green** = Classification
- **Black** = Total processing time (green + updating graph structure)

Onboard speedup: **3x**

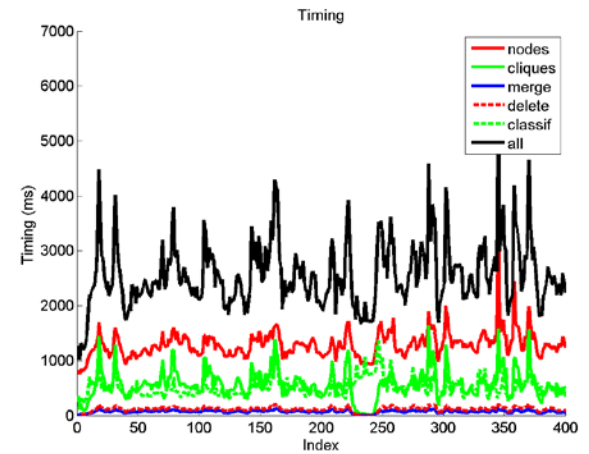
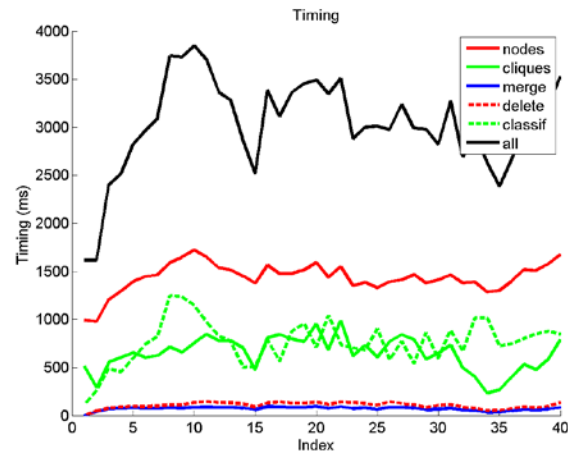
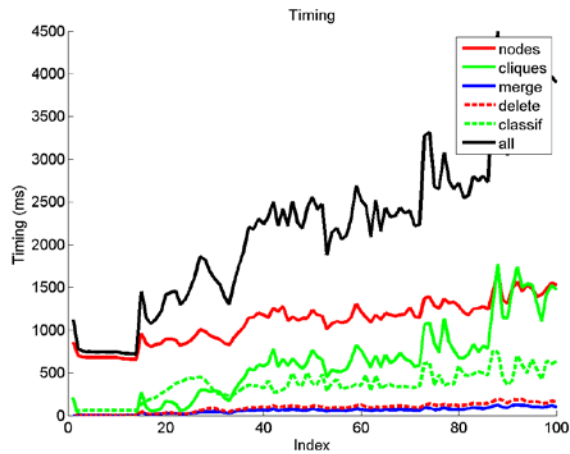
Field experimentation

- ❑ Tested over 20 km of terrain, 25 x 50 m map
- ❑ Urban (MOU), trail and forest environment



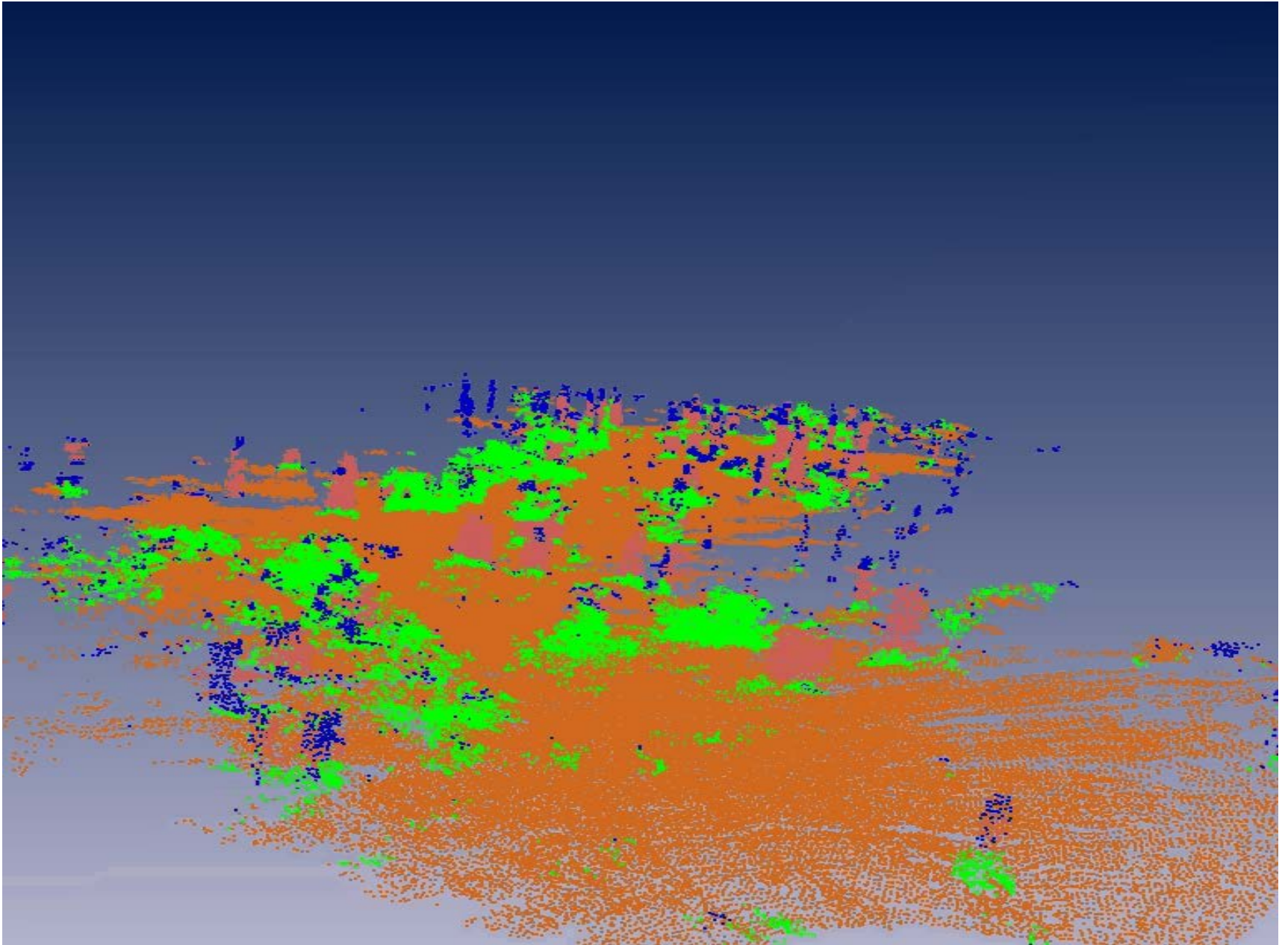
- ❑ Efficient onboard feature computation [lalonde-ijrr-07]

Field experimentation



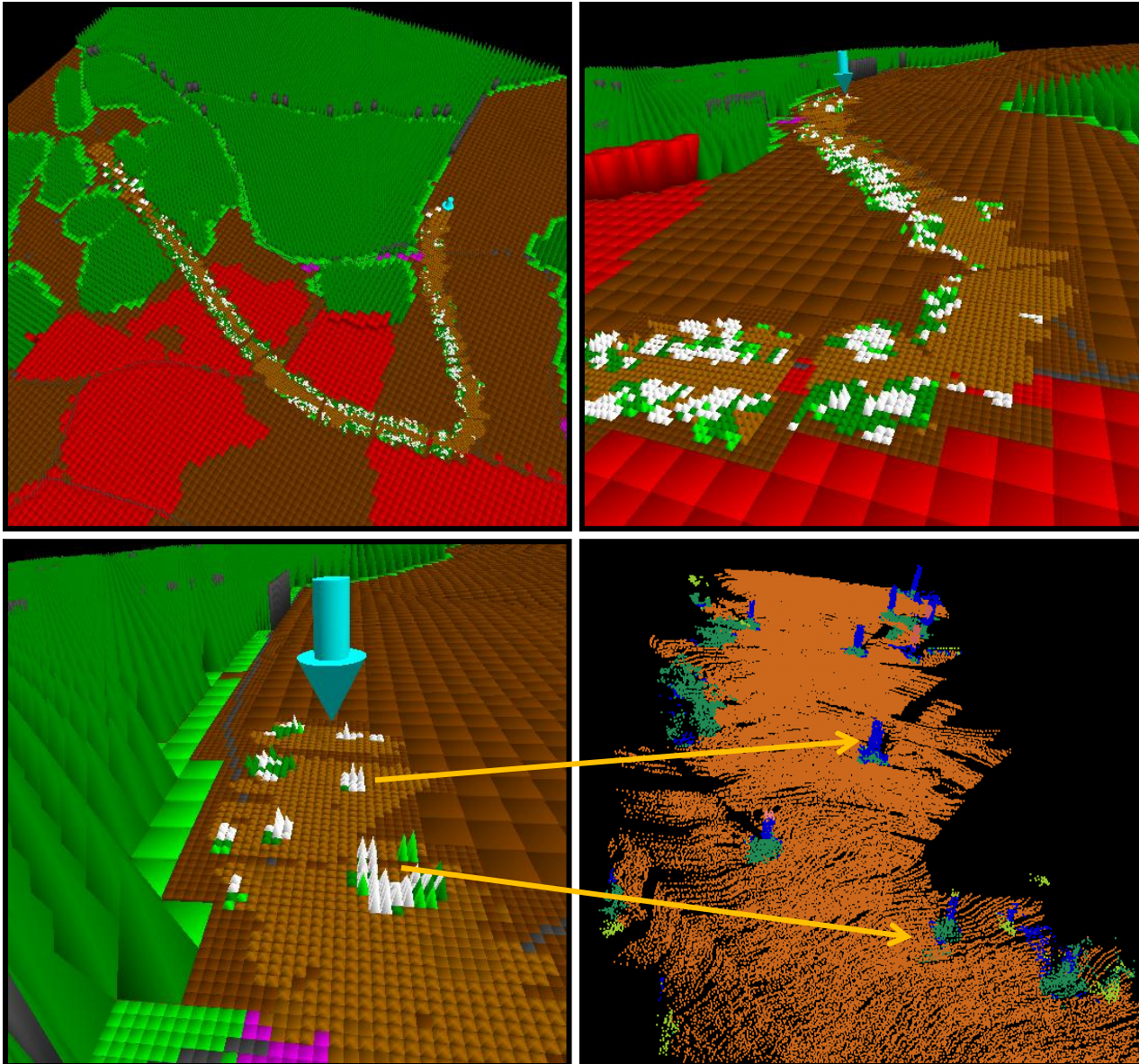
□ Average speed: ~ 2 m/s

Forest Environment



Example of integration

- Updating prior map for long range planning



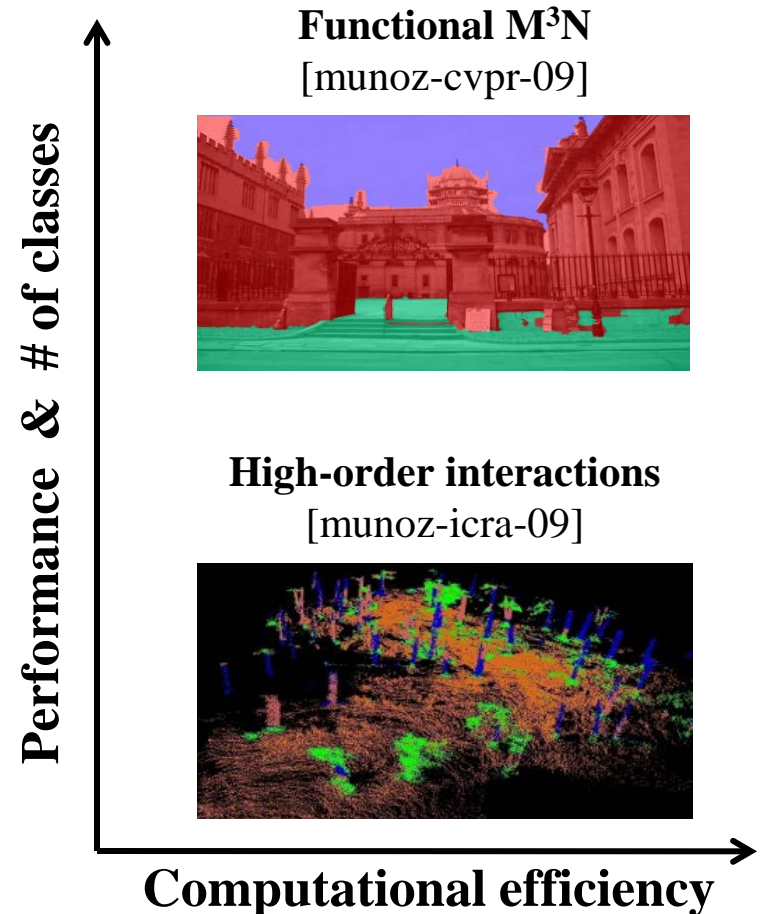
Conclusion

□ Contributions

- Efficiently learn high-order interactions
- Context approximation for onboard processing
 - ✓ Fast
 - ✓ Works well in practice

□ Limitations

- Computation time
- Clique interactions
- Optimization



Thank you

□ Acknowledgements

- U.S. Army Research Laboratory
- General Dynamics Robotic Systems