

A Bayesian Model of Syntax-Directed Tree to String Grammar Induction

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Overview

- Problem: rule extraction for syntax-based SMT systems
 - Usually done by word alignment followed by heuristics
 - In some early work, rule weights were trained via EM, but this is also problematic
- Solution: Bayesian model with nonparametric priors on rule distributions
 - Avoids separate word alignment step
 - Nonparametric priors allow sets of rules to be unbounded
 - Dirichlet process (DP) priors favor power law effects among rules, avoiding degenerate solutions typically found by EM
- Continuing a line of research into Bayesian models for phrase/rule extraction in MT and parsing
 - DeNero et al. (2008), Blunsom et al. (2009), Cohn et al. (2009), etc.

Formalism

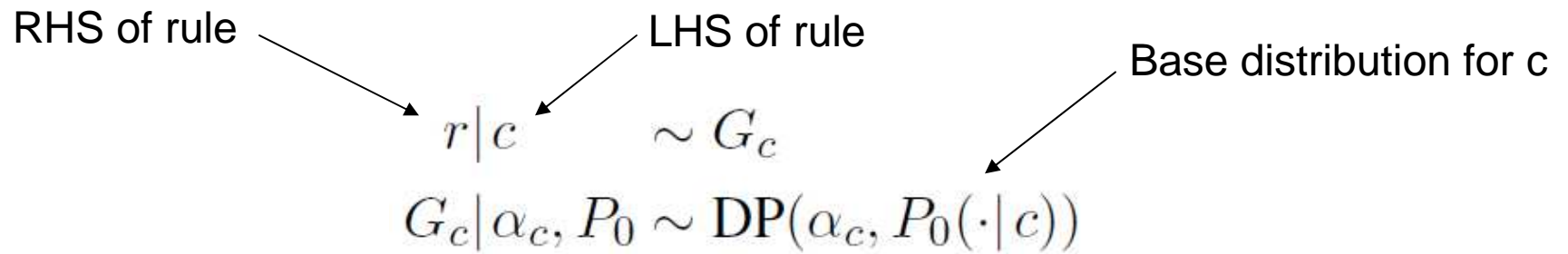
- Synchronous Tree Substitution Grammar (STSG)
- Generalization of SCFG in which RHS of rules can contain trees
- Example rule:

$\langle (\text{NP NP}_{\boxed{1}} (\text{PP} (\text{IN of}) \text{NP}_{\boxed{2}})), \boxed{2} \text{ 的 } \boxed{1} \rangle$

- They use a standard model parameterization: collection of conditional distributions, one for each LHS nonterminal

Model

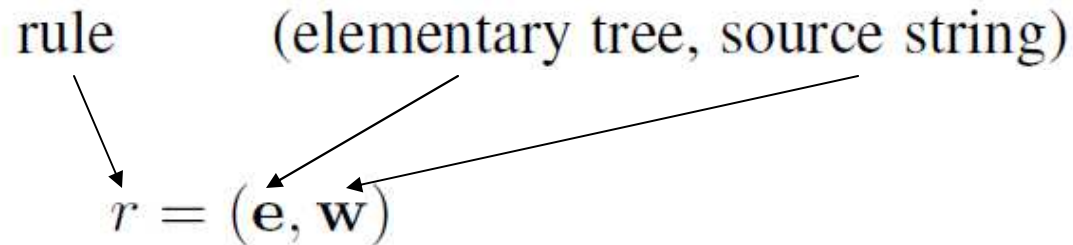
- They use a Dirichlet process prior for each of these distributions:



- The set of rules for each nonterminal c is unbounded
- They use the standard approach of integrating out G_c during inference via collapsed Gibbs sampling
- The base distribution factors the generation of the RHS of a rule into a simple generative story

Base Distribution

- Simple generative process:
 - Generates each nonterminal and terminal in the target tree, then each terminal and variable placement in the source string
 - Favors small rules



$$P_0(\mathbf{e}, \mathbf{w} | c) = P(\mathbf{e} | c) P(\mathbf{w} | \mathbf{e})$$

Root of rule

An upward-pointing arrow connects the text "Root of rule" to the variable c in the equation $P_0(\mathbf{e}, \mathbf{w} | c) = P(\mathbf{e} | c) P(\mathbf{w} | \mathbf{e})$.

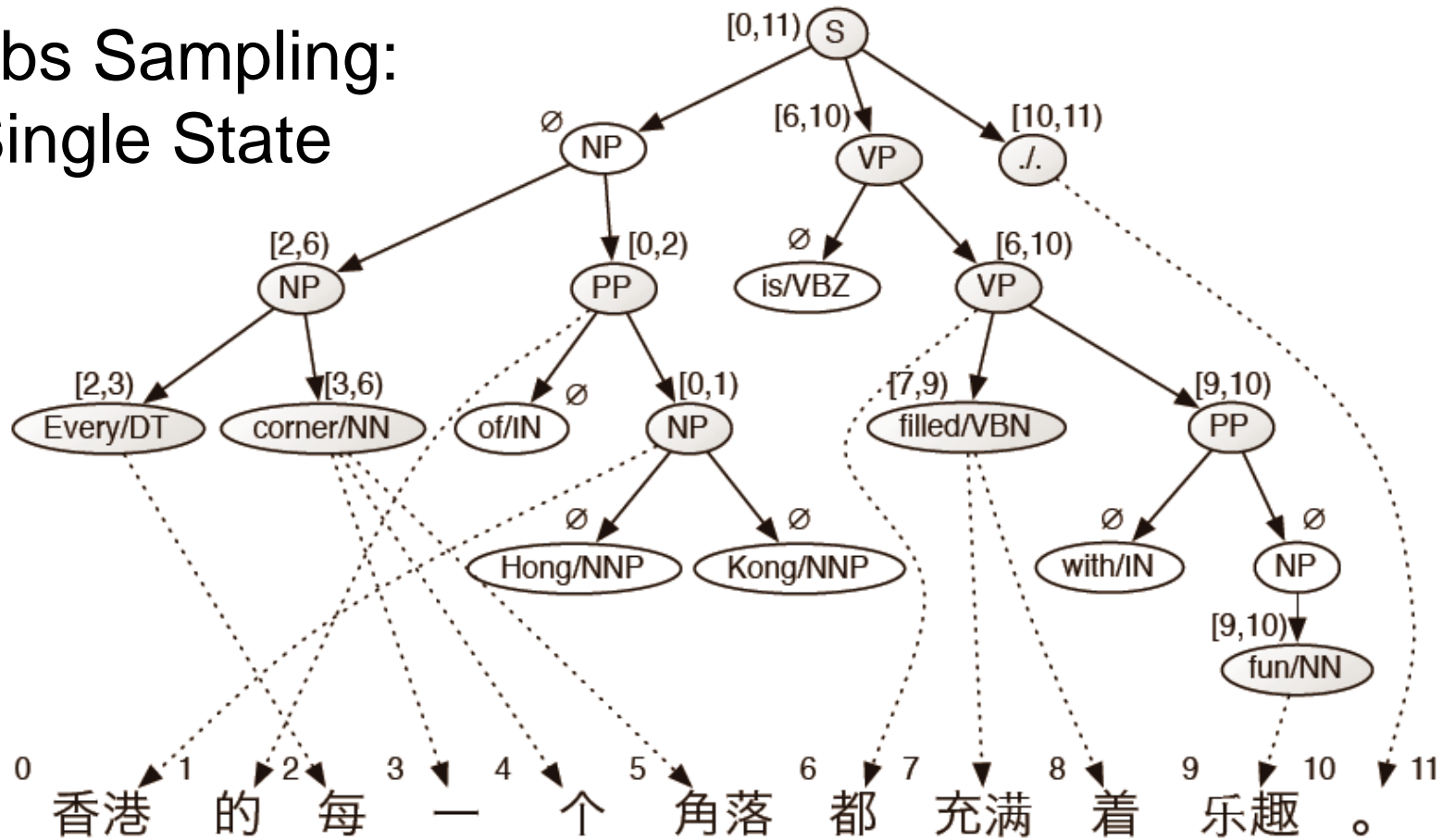
Aside: Modeling Extensions

- Their model captures power law effects among rules within each distribution
- But these distributions are independent
 - The rules for a VP have no effect on the rules for an S
- Possible extension: hierarchical Dirichlet process (HDP)
 - Shares power law effects among different distributions (e.g., among the VP rule distribution and the S rule distribution)
 - Has been used frequently when models contain a large number of conditional distributions that should share characteristics (e.g., n-gram language models)
 - Could have a separate HDP for each “family” of rule distributions

Inference

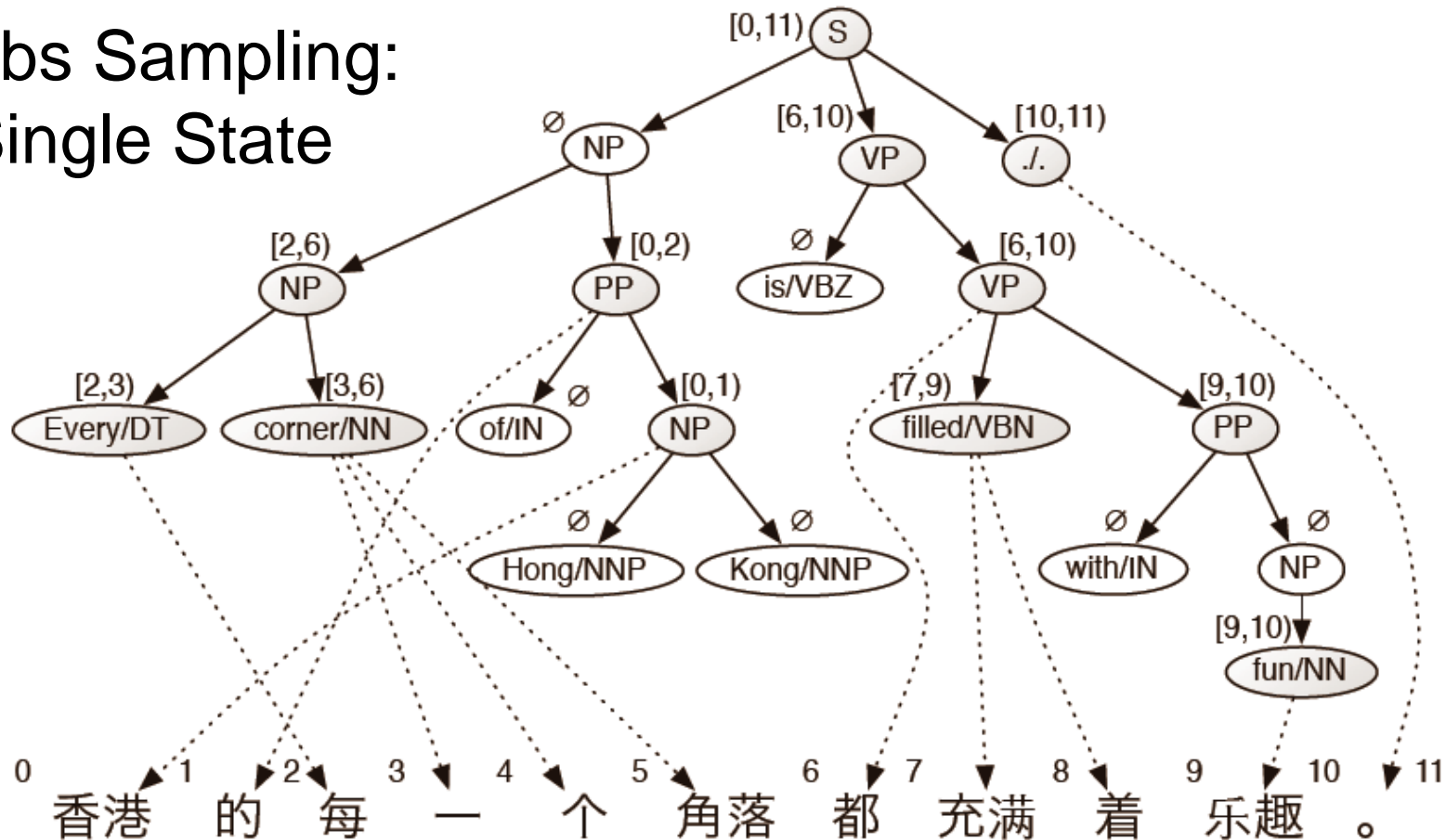
- They want to avoid doing word alignment as a preprocessing step followed by heuristic rule extraction
- Instead, they use Gibbs sampling to sample from the posterior distribution over grammars
- They extract rules from a single final sample

Gibbs Sampling: Single State



Shaded nodes are roots of rules that get extracted

Gibbs Sampling: Single State



Rules extracted:

$\langle (S (NP NP_1 PP_2) VP_3 .4), [2 \ 1 \ 3 \ 4] \rangle$

$\langle (NP DT_1 NN_2), [1 \ 2] \rangle$

$\langle (DT \text{ Every}), \text{每} \rangle$

$\langle (NN \text{ corner}), \text{一个角落} \rangle$

$\langle (PP (IN \text{ of}) NP_1), [1] \text{的} \rangle$

$\langle (NP (NNP \text{ Hong}) (NNP \text{ Kong})), \text{香港} \rangle$

$\langle (VP (VBZ \text{ is}) VP_1), [1] \rangle$

$\langle (VP VBN_1 PP_2), \text{都} [1 \ 2] \rangle$

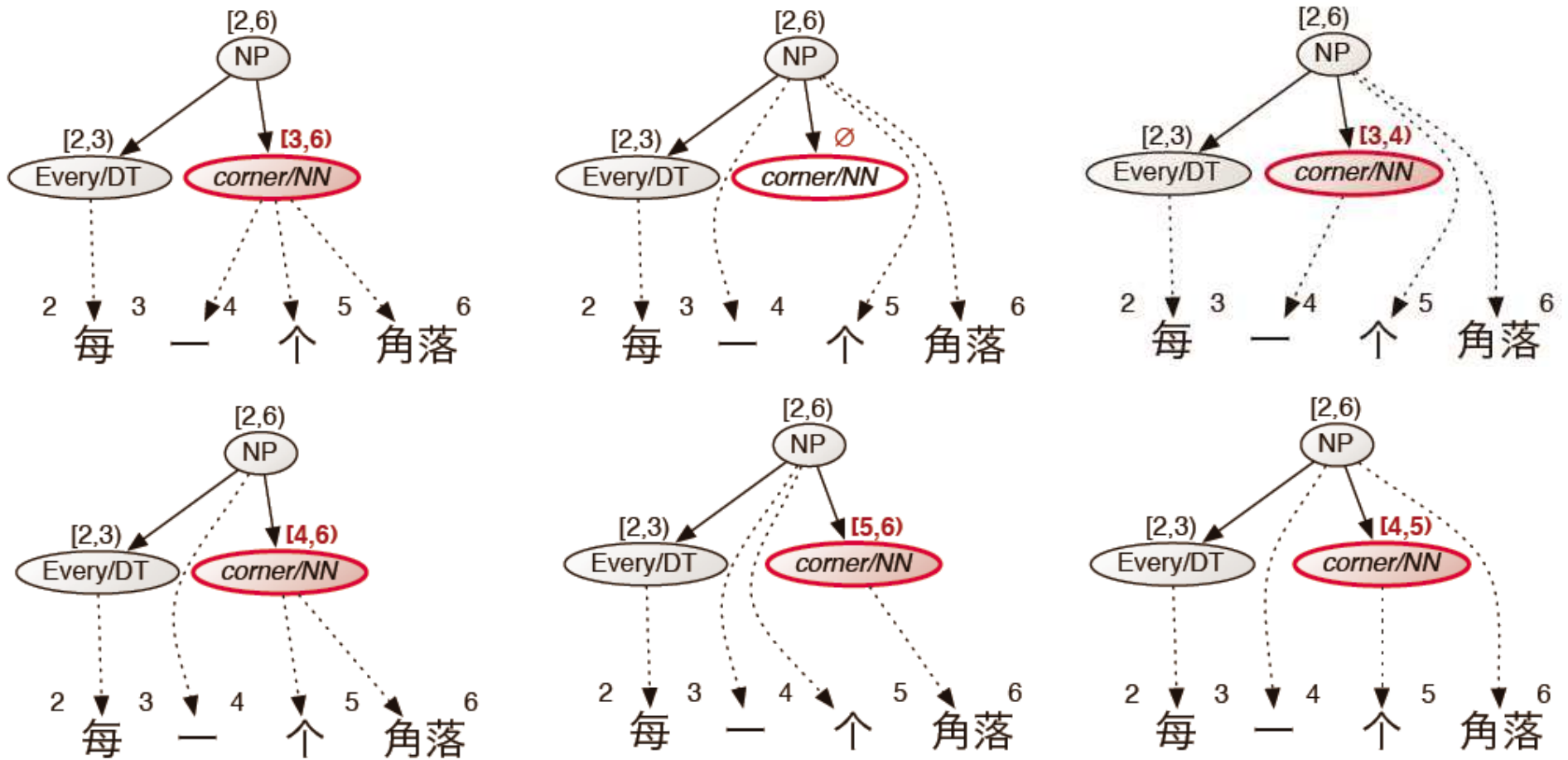
$\langle (VBN \text{ filled}), \text{充满着} \rangle$

$\langle (PP (IN \text{ with}) (NP NN_1)), [1] \rangle$

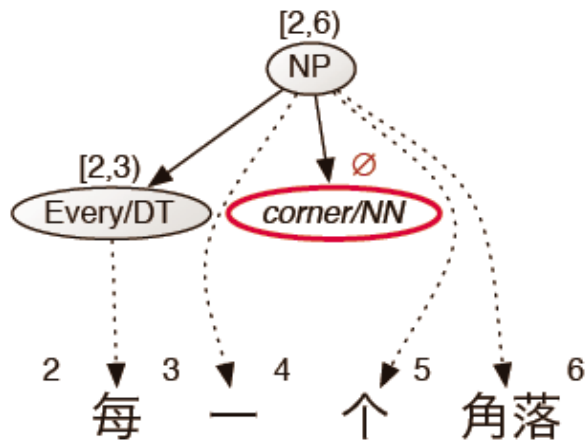
$\langle (NN \text{ fun}), \text{趣} \rangle$

$\langle (. \ .), \text{。} \rangle$

Gibbs Sampling: Expand Operator

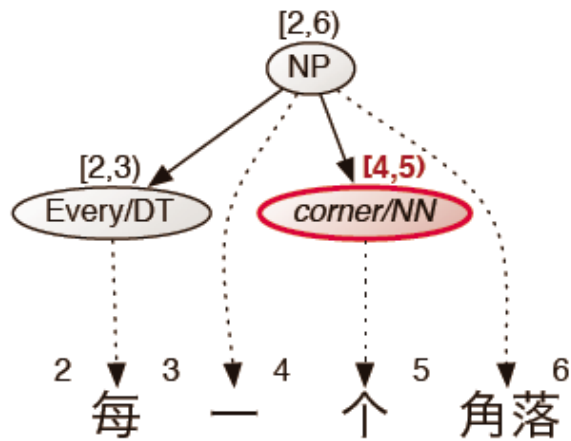


Gibbs Sampling: Expand Operator



$$r_p = \langle (\text{NP DT}_{\boxed{1}} (\text{NN corner})), \boxed{1} \text{ 一个角落} \rangle$$

Gibbs Sampling: Expand Operator



$$r_{p'} = \langle (\text{NP DT}_{\boxed{1}} \text{NN}_{\boxed{2}}), \boxed{1} \text{ — } \boxed{2} \text{ 角落} \rangle$$

$$r_v = \langle (\text{NN corner}), \uparrow \rangle$$

Gibbs Sampling

- Also one other operator (Swap)
- A single iteration of Gibbs sampling consists of visiting every sentence pair and:
 - (1) Applying the Expand operator to every node in the tree
 - (2) Then, applying the Swap operator to every applicable pair of nodes in the tree

Experimental Setup

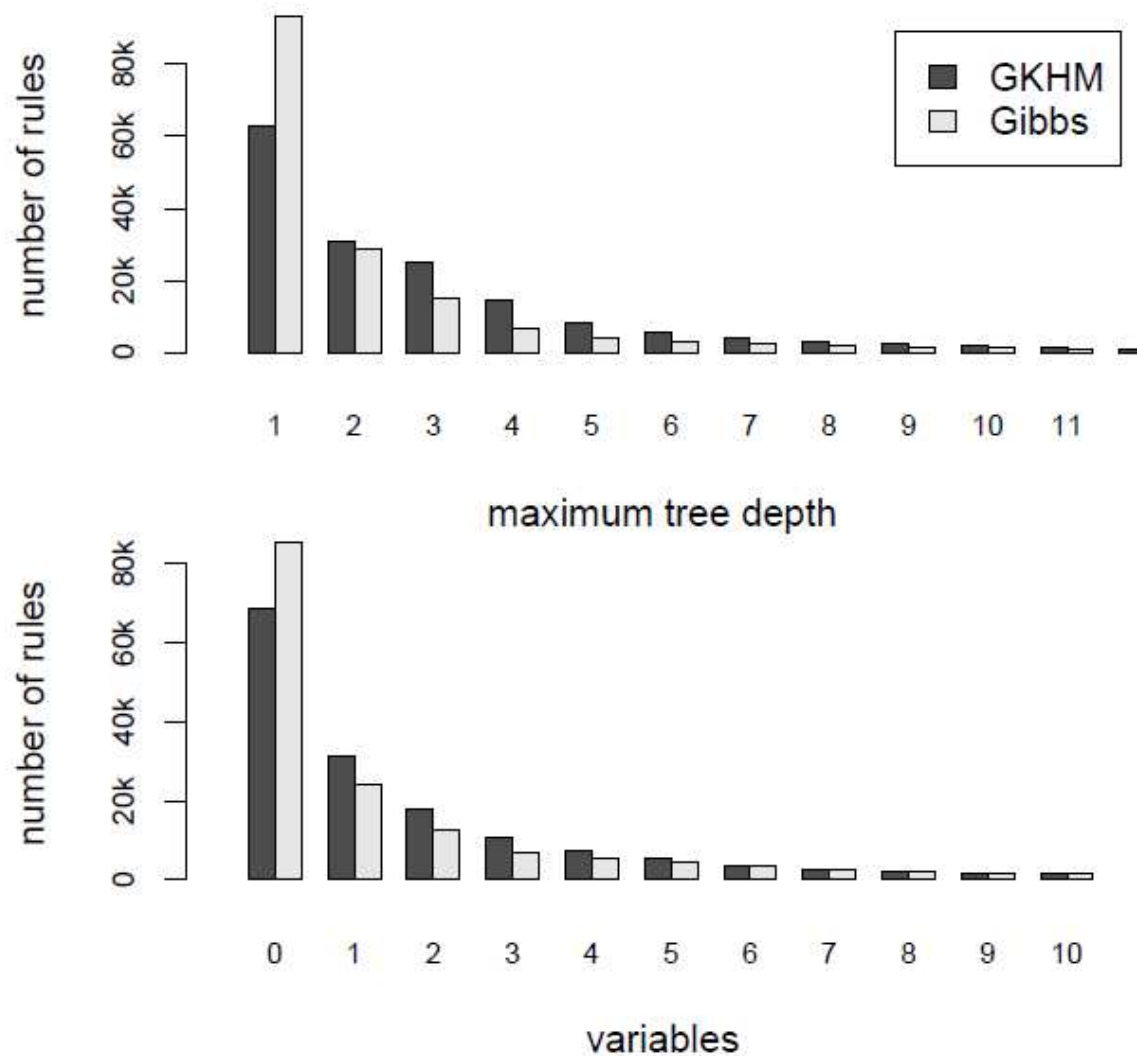
- 300k sentence pairs of Chinese-English
 - FBIS and 100k sentences of Sinorama
- GHKM rule extraction as baseline
- Gibbs sampling run for 300 iterations
 - Initialized using GHKM
 - Took one week
 - Grammar taken from final sample

Results

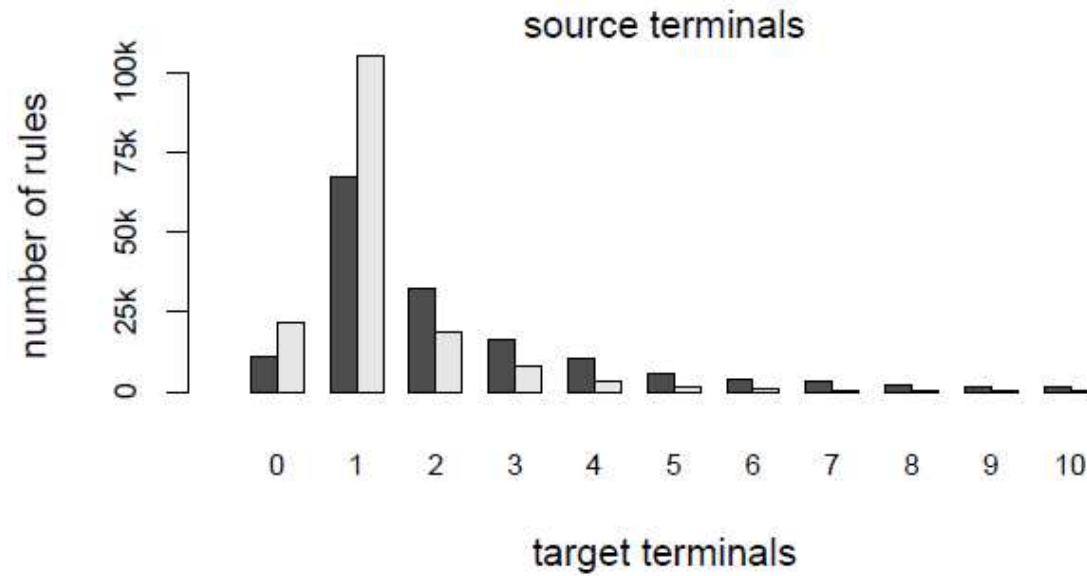
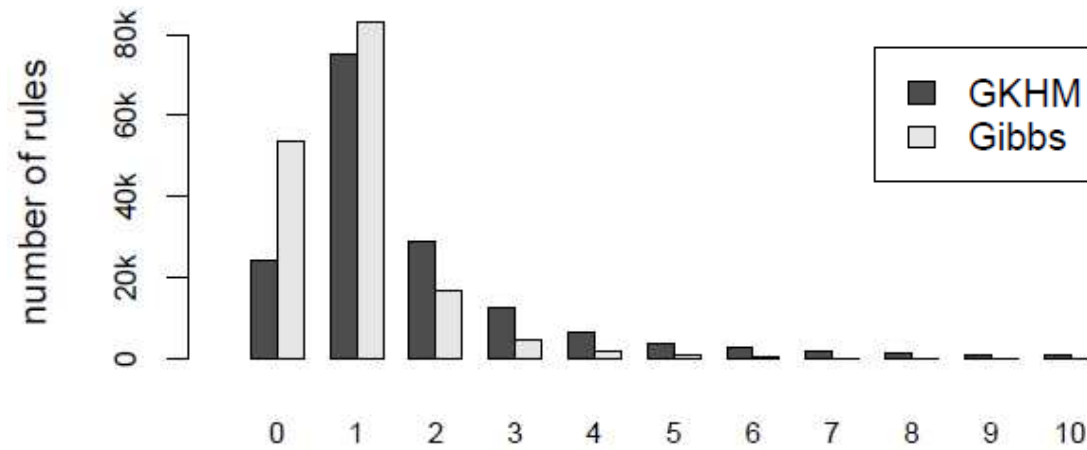
Model	BLEU score
GHKM	26.0
Our model	26.6

- GHKM and sampled grammar have roughly the same number of rules (~1.62 million)
- GHKM has more large rules, sampled grammar has smaller and simpler rules

Results



Results



Example Grammar Rules

Only in sampled grammar
(all appear frequently):

⟨(TOP (S NP₁ VP₂ .3)), 1 2 3⟩
⟨(S (VP (TO to) VP₁)), 1⟩
⟨(NP NP₁ (PP (IN of) NP₂)), 2 1⟩
⟨(PP (IN in) NP₁), 在 1⟩
⟨(NP NP₁ (PP (IN of) NP₂)), 1 2⟩
⟨(NP (DT the) NN₁), 的 1⟩
⟨(S (VP TO₁ VP₂)), 1 2⟩
⟨(VP (VBZ is) NP₁), 是 1⟩
⟨(NP (NP (DT the) NN₁) (PP (IN of) NP₂)), 2 1⟩

Only in GHKM grammar
(all appear very infrequently):

⟨(PP (IN at) (NP DT₁ (NNS levels))), 1 級⟩
⟨(NP NP₁ ,₂ NP₃ (, ,) CC₄ NP₅), 1 2 3 4 5⟩
⟨(NP NP₁ ,₂ NP₃ ,₄ NP₅ (, ,) (CC and) NP₆), 1 2 3 4 5 , 6⟩
⟨(S S₁ (NP (PRP They)) VP₂ .3), 1 2 3⟩
⟨(S PP₁ ,₂ NP₃ VP₄ .5 *6), 1 2 3 4 6 5⟩
⟨(S PP₁ ,₂ NP₃ VP₄ .5), 1 中 2 3 4 5⟩
⟨(NP (NNP Foreign) (NNP Ministry) NN₁ (NNP Zhu) (NNP Bangzao)),
外交部 1 朱邦造⟩
⟨(S S₁ S₂), 1 2⟩
⟨(S S₁ (NP (PRP We)) VP₂ .3), 1 2 3⟩
⟨(NP (DT the) (NNS people) POS₁), 人民 1⟩

The GHKM grammar misses many common and useful rules that the sampled grammar finds