

Cache Memories

18-213/18-613: Introduction to Computer Systems 10th Lecture, September 29, 2022

Reminder: AIV Policy

http://www.cs.cmu.edu/~18213/academicintegrity.html

No unauthorized use of information

- Borrowing code: by copying, retyping, looking at a file
- Describing: verbal description of code from one person to another
- Searching the Web for solutions
- Copying code from a previous course or online solution
- Reusing your code from a previous semester (here or elsewhere)

No unauthorized supplying of information

- Providing copy: Giving a copy of a file to someone
- Providing access:
 - Putting material in unprotected directory
 - Putting material in unprotected code repository (e.g., Github)

No collaborations beyond high-level, strategic advice

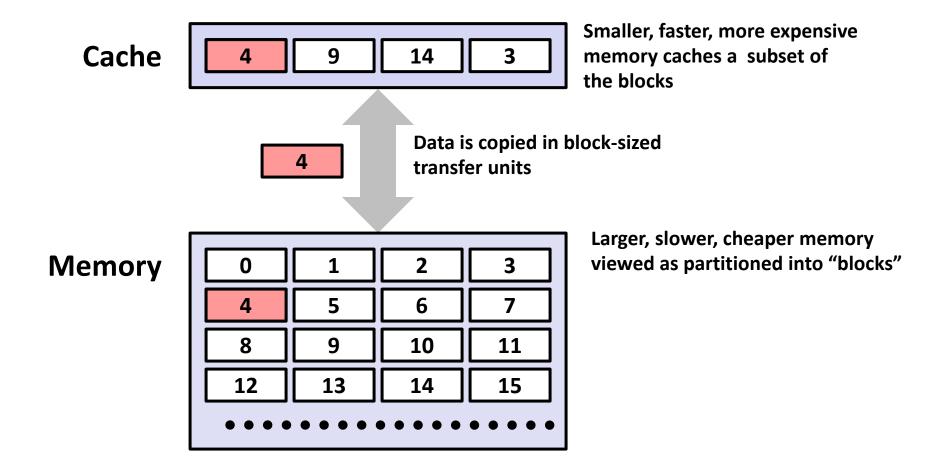
Anything more than block diagram or a few words

Start early. Make frequent github commits. Plan for stumbling blocks. Use available help. Don't panic: Far better to turn in 25% correct solution than get an AIV.

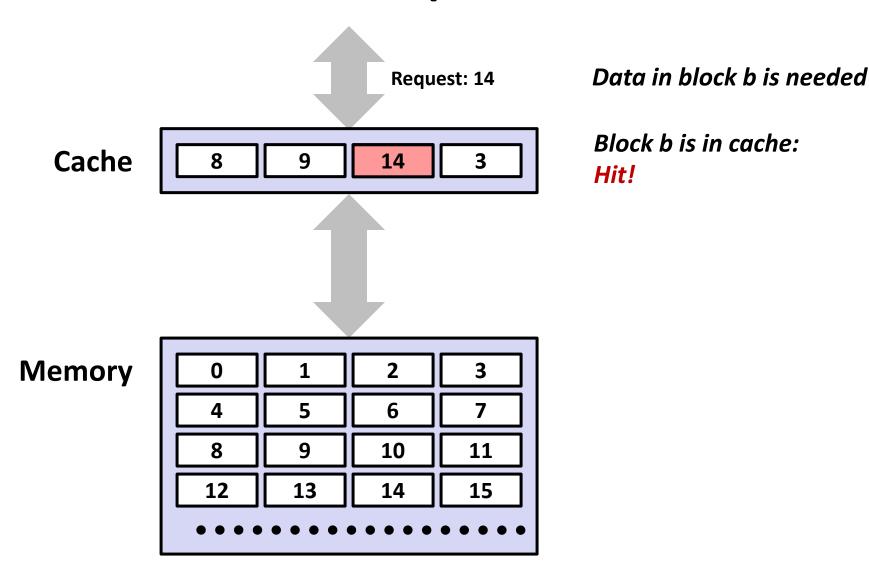
Today

- Performance impact of caches
 - The memory mountain
 CSAPP 6.6.1
 - Rearranging loops to improve spatial localityCSAPP 6.6.2
 - Using blocking to improve temporal localityCSAPP 6.6.3

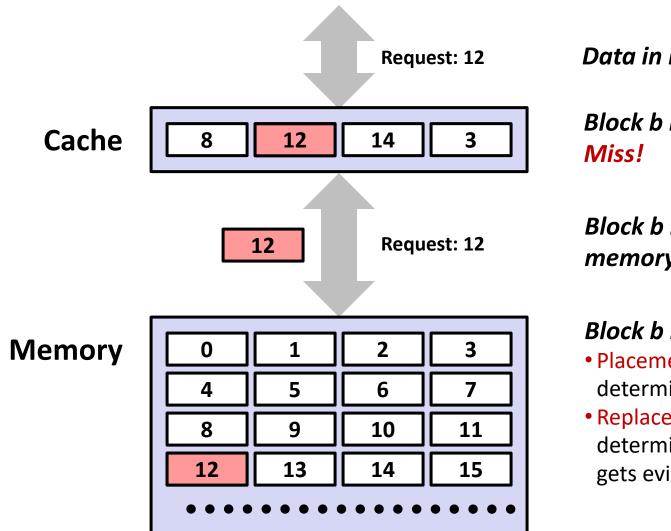
Recall: General Cache Concepts



General Cache Concepts: Hit



General Cache Concepts: Miss



Data in block b is needed

Block b is not in cache: Miss!

Block b is fetched from memory

Block b is stored in cache

- Placement policy: determines where b goes
- Replacement policy: determines which block gets evicted (victim)

Working Set, Locality, and Caches

- Working Set: The set of data a program is currently "working on"
 - Definition of "currently" depends on context, e.g., in this loop
 - Includes accesses to data and instructions
- Principle of Locality: Programs tend to use data and instructions with addresses near or equal to those they have used recently
 - Nearby addresses: Spatial Locality
 - Equal addresses: Temporal locality
- Caches take advantage of temporal locality by storing recently used data, and spatial locality by copying data in block-sized transfer units
 - Locality reduces working set sizes
 - Caches are most effective when the working set fits in the cache

Recall: 3 Types of Cache Misses

■ Cold (compulsory) miss

 Cold misses occur because the cache starts empty and this is the first reference to the block.

Capacity miss

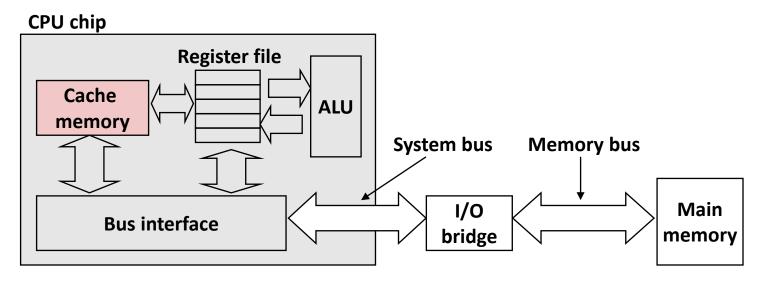
 Occurs when the set of active cache blocks (working set) is larger than the cache.

Conflict miss

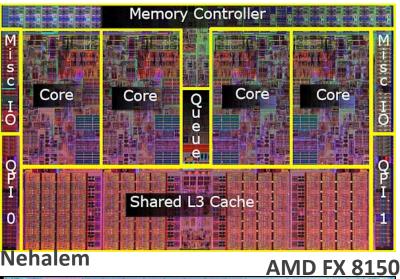
- Occurs when the cache is large enough, but too many data objects all map (by the placement policy) to the same limited set of blocks
 - E.g., if the placement policy maps both 0 and 8 to the same block, then referencing 0, 8, 0, 8, 0, 8, ... would miss every time.

CPU Cache Memories

- Cache memories are small, fast SRAM-based memories managed automatically in hardware
 - Hold frequently accessed blocks of main memory
- CPU looks first for data in cache
- Typical system structure:

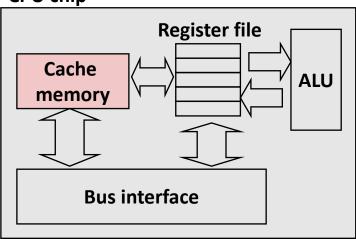


What it Really Looks Like

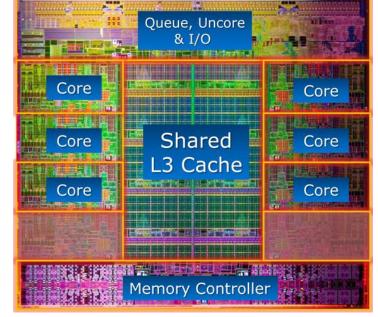




CPU chip







What it Really Looks Like (Cont.)



Intel Alder Lake (2021)

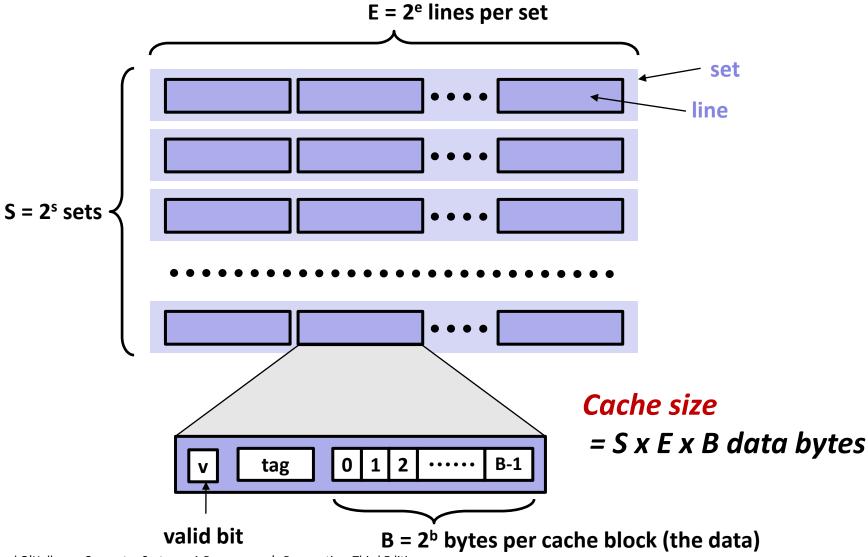
8 P-cores + 8 E-cores

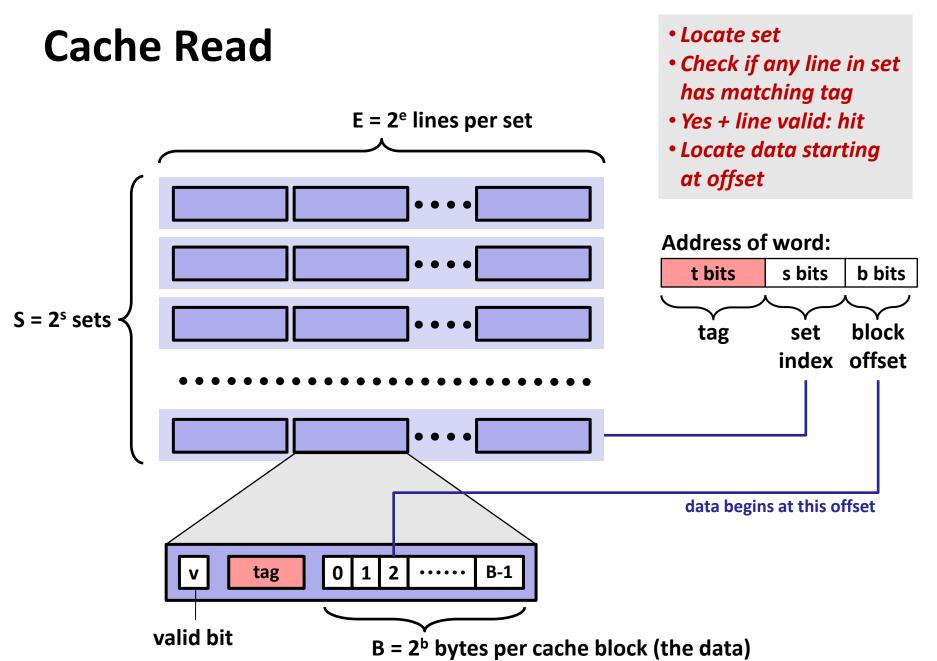
L1 caches per P-core: 32KB Instruction & 48KB Data L1 caches per E-core: 64KB Instruction & 32KB Data

L2 caches: 1.25MB per P-core, 2MB per four E-cores

L3 cache: 30MB shared among all cores

General Cache Organization (S, E, B)

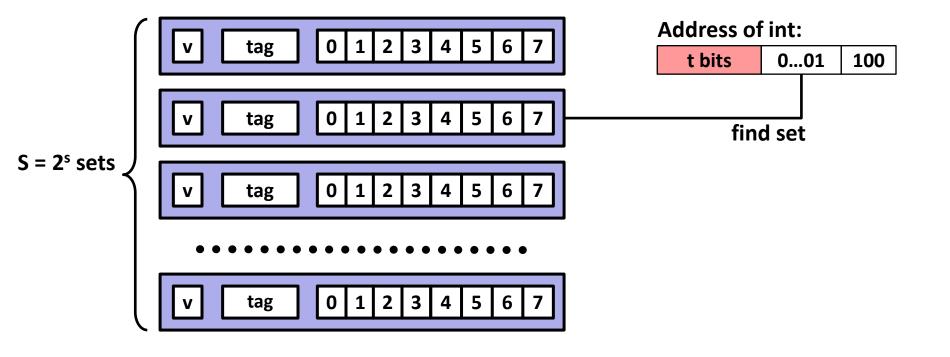




Example: Direct Mapped Cache (E = 1)

Direct mapped: One line per set

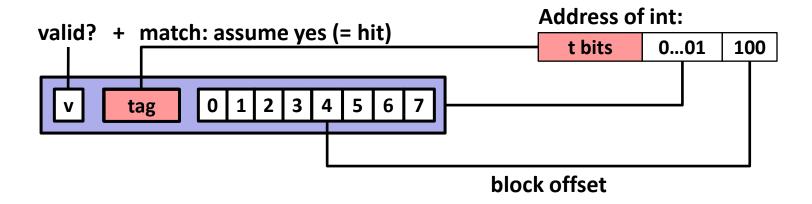
Assume: cache block size B=8 bytes



Example: Direct Mapped Cache (E = 1)

Direct mapped: One line per set

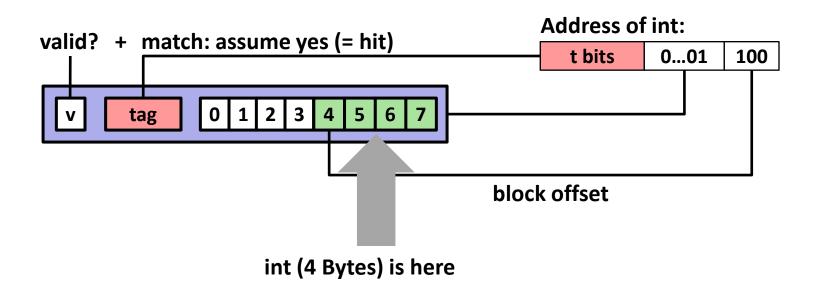
Assume: cache block size B=8 bytes



Example: Direct Mapped Cache (E = 1)

Direct mapped: One line per set

Assume: cache block size B=8 bytes



If tag doesn't match (= miss): old line is evicted and replaced

Direct-Mapped Cache Simulation

t=1	s=2	b=1
X	XX	X

4-bit addresses (address space size M=16 bytes) S=4 sets, E=1 Blocks/set, B=2 bytes/block

Address trace (reads, one byte per read):

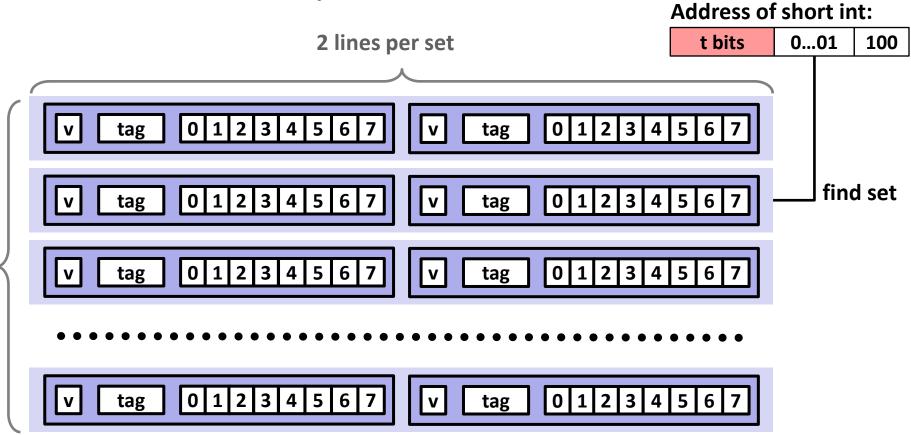
0	$[0000_2],$	miss	(cold)
1	$[0001_2],$	hit	
7	$[0111_2],$	miss	(cold)
8	$[1000_{2}],$	miss	(cold)
0	$[0000_{2}]$	miss	(conflict)

	V	Tag	Block
Set 0	1	0	M[0-1]
Set 1	0		
Set 2	0		
Set 3	1	0	M[6-7]

E-way Set Associative Cache (Here: E = 2)

E = 2: Two lines per set

Assume: cache block size B=8 bytes



S sets

E-way Set Associative Cache (Here: E = 2)

E = 2: Two lines per set

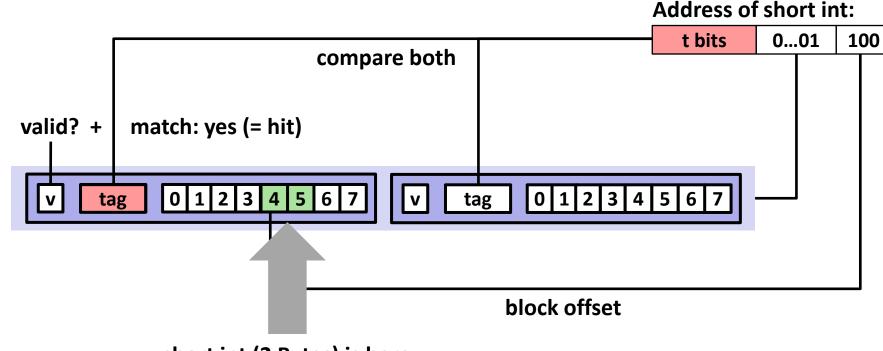
Assume: cache block size B=8 bytes

Address of short int: t bits 0...01 100 valid? + match: yes (= hit) v tag 0 1 2 3 4 5 6 7 block offset

E-way Set Associative Cache (Here: E = 2)

E = 2: Two lines per set

Assume: cache block size B=8 bytes



short int (2 Bytes) is here

No match or not valid (= miss):

- One line in set is selected for eviction and replacement
- Replacement policies: random, least recently used (LRU), ...

2-Way Set Associative Cache Simulation

t=2	s=1	b=1
ХХ	X	X

4-bit addresses (M=16 bytes) S=2 sets, E=2 blocks/set, B=2 bytes/block

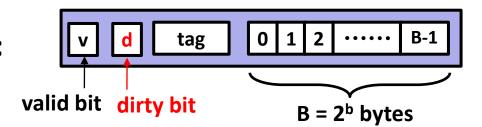
Address trace (reads, one byte per read):

0	$[00\underline{0}0_{2}],$	miss
1	$[0001_2],$	hit
7	$[01\underline{1}1_2],$	miss
8	$[10\underline{0}0_2],$	miss
0	$[00\underline{0}0_2]$	hit

	V	Tag	Block
Set 0	1	00	M[0-1]
	1	10	M[8-9]
Set 1	1	01	M[6-7]
Jet 1	0		

What about writes?

- Multiple copies of data exist:
 - L1, L2, L3, Main Memory, Disk



What to do on a write-hit?

- Write-through (write immediately to memory)
- Write-back (defer write to memory until replacement of line)
 - Each cache line needs a dirty bit (set if data differs from memory)

What to do on a write-miss?

- Write-allocate (load into cache, update line in cache)
 - Good if more writes to the location will follow
- No-write-allocate (writes straight to memory, does not load into cache)

Typical

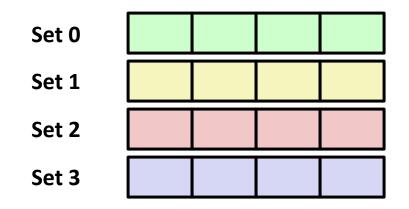
- Write-through + No-write-allocate
- Write-back + Write-allocate

Why Index Using Middle Bits?

Direct mapped: One line per set Assume: cache block size 8 bytes **Standard Method:** Middle bits indexing Address of int: tag 0...01 100 t bits 3 5 tag find set $S = 2^{s}$ sets 3 5 tag **Alternative Method: High bits indexing** Address of int: 1...11 t bits 100 3 5 6 tag find set

Illustration of Indexing Approaches

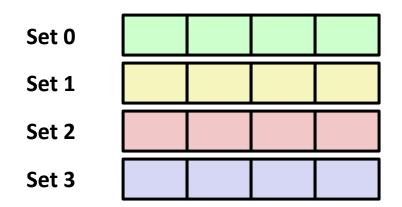
- 64-byte memory
 - 6-bit addresses
- 16 byte, direct-mapped cache
- Block size = 4. (Thus, 4 sets; why?)
- 2 bits tag, 2 bits index, 2 bits offset



		0000xx
		0001xx
		0010xx
		0011xx
		0100xx
		0101xx
		0110xx
		0111xx
		1000xx
		1001xx
		1010xx
		1011xx
		1100xx
		1101xx
		1110xx
		1111xx
) 21

Middle Bits Indexing

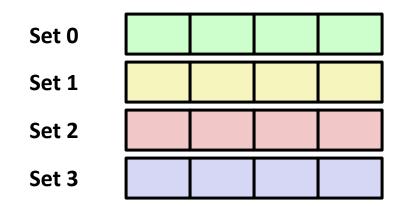
- Addresses of form TTSSBB
 - Tag bits
 - Set index bits SS
 - Offset bits BB
- Makes good use of spatial locality



		0000xx
		0001xx
		0010xx
		0011xx
		0100xx
		0101xx
		0110xx
		0111xx
		1000xx
		1001xx
		1010xx
		1011xx
		1100xx
		1101xx
		1110xx
		1111xx
		26

High Bits Indexing

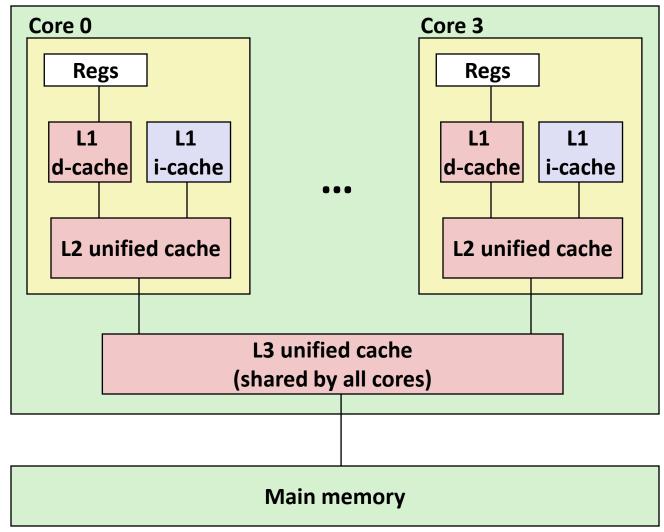
- Addresses of form SSTTBB
 - Set index bits
 - **TT** Tag bits
 - **BB** Offset bits
- Program with high spatial locality would generate lots of conflicts



		•
		0000xx
		0001xx
		0010xx
		0011xx
		0100xx
		0101xx
		0110xx
		0111xx
		1000xx
		1001xx
		1010xx
		1011xx
		1100xx
		1101xx
		1110xx
		1111xx
)

Intel Core i7 Cache Hierarchy

Processor package



L1 i-cache and d-cache:

32 KB, 8-way, Access: 4 cycles

L2 unified cache:

256 KB, 8-way, Access: 10 cycles

L3 unified cache:

8 MB, 16-way, Access: 40-75 cycles

Block size: 64 bytes for

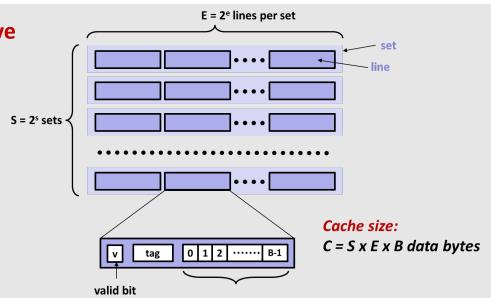
all caches.

2

Example: Core i7 L1 Data Cache

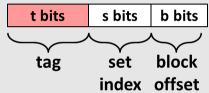
32 KB 8-way set associative 64 bytes/block 47 bit address range

C =



		YIS SIMI.
He	, Oe,	zimany Binary
0 1 2 3 4 5 6 7 8 9 A B C D	0	0000
1	1	0001
2	2	0010
3	3	0011
4	4	0100
5	5	0101
6	0 1 2 3 4 5 6 7 8	0110
7	7	0111
8	8	1000
9	9	1001
Α	10	1000 1001 1010
В	11	1011
С	12	1100
D	13	1101
E	14	1110
F	15	1111

Address of word:



Block offset: . bits

Set index: . bits

Tag: . bits

Stack Address:

0x00007f7262a1e010

Block offset:

0x??

Set index: 0x??

Tag: 0x??

Example: Core i7 L1 Data Cache

32 kB 8-way set associative 64 bytes/block

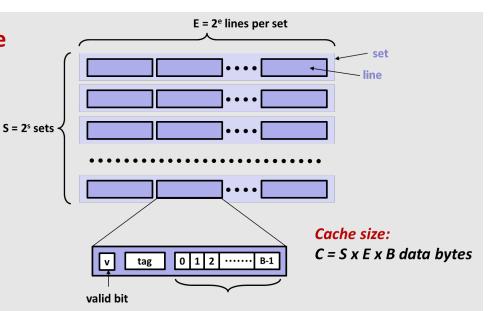
47 bit address range

$$B = 64$$

$$S = 64$$
, $s = 6$

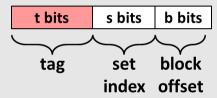
$$E = 8, e = 3$$

 $C = 64 \times 64 \times 8 = 32,768$



Hex Decimal В

Address of word:



Block offset: 6 bits

Set index: 6 bits

Tag: 35 bits

Stack Address:

0x00007f7262a1e010

Block offset: 0x??

Set index: 0x??

Tag: 0x??

231

Example: Core i7 L1 Data Cache

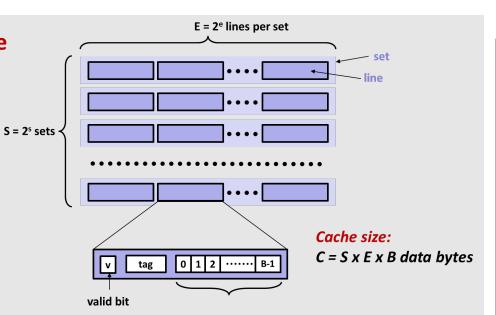
32 kB 8-way set associative 64 bytes/block 47 bit address range

B = 64

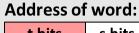
S = 64, s = 6

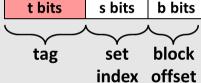
E = 8, e = 3

 $C = 64 \times 64 \times 8 = 32,768$



He	t De	cime Binary
	0	0000
0 1 2 3 4 5 6 7	1 2 3 4 5 6 7 8	0001
2	2	0010
3	3	0011
4	4	0100
5	5	0101
6	6	0110
7	7	0111
8	8	1000
9	9	1001
A	10	1010
В	11	1011
ВС	12	1100
D	13	1101
E	14	1110
F	15	1111





Block offset: 6 bits

Set index: 6 bits

Tag: 35 bits



Block offset: 0x10

Set index: 0×0

Tag: 0x7f7262a1e

Cache Performance Metrics

Miss Rate

- Fraction of memory accesses not found in cache (misses / accesses)
 = 1 hit rate
- Typical numbers (as %):
 - 3-10% for L1
 - can be quite small (e.g., < 1%) for L2, depending on size, etc.

Hit Time

- Time to deliver a cached block to the processor
 - includes time to determine whether line is in cache
- Typical numbers:
 - 4 clock cycle for L1
 - 10 clock cycles for L2

Miss Penalty

- Additional time required because of a miss
 - typically 50-200 cycles for main memory (Trend: increasing!)

How Bad Can a Few Cache Misses Be?

- Huge difference between a hit and a miss
 - Could be 100x, if just L1 and main memory
- Would you believe 99% hits is twice as good as 97%?
 - Consider this simplified example: cache hit time of 1 cycle miss penalty of 100 cycles
 - Average access time:

97% hits: 1 cycle + 0.03 x 100 cycles = 4 cycles

99% hits: 1 cycle + 0.01 x 100 cycles = 2 cycles

■ This is why "miss rate" is used instead of "hit rate"

Writing Cache Friendly Code

- Make the common case go fast
 - Focus on the inner loops of the core functions
- Minimize the misses in the inner loops
 - Repeated references to variables are good (temporal locality)
 - Stride-1 reference patterns are good (spatial locality)

Key idea: Our qualitative notion of locality is quantified through our understanding of cache memories

Quiz Time!

Canvas Quiz: Day 10 – Cache Memories

Today

- Cache organization and operation
- Performance impact of caches
 - The memory mountain
 - Rearranging loops to improve spatial locality
 - Using blocking to improve temporal locality

The Memory Mountain

- Read throughput (read bandwidth)
 - Number of bytes read from memory per second (MB/s)
- Memory mountain: Measured read throughput as a function of spatial and temporal locality.
 - Compact way to characterize memory system performance.

Memory Mountain Test Function

```
long data[MAXELEMS]; /* Global array to traverse */
/* test - Iterate over first "elems" elements of
          array "data" with stride of "stride",
          using 4x4 loop unrolling.
 */
int test(int elems, int stride) {
    long i, sx2=stride*2, sx3=stride*3, sx4=stride*4;
    long acc0 = 0, acc1 = 0, acc2 = 0, acc3 = 0;
    long length = elems, limit = length - sx4;
    /* Combine 4 elements at a time */
    for (i = 0; i < limit; i += sx4) {</pre>
        acc0 = acc0 + data[i];
        acc1 = acc1 + data[i+stride];
        acc2 = acc2 + data[i+sx2];
       acc3 = acc3 + data[i+sx3];
    }
    /* Finish any remaining elements */
    for (; i < length; i++) {</pre>
        acc0 = acc0 + data[i];
    return ((acc0 + acc1) + (acc2 + acc3));
                               mountain/mountain.c
```

Call test() with many combinations of elems and stride.

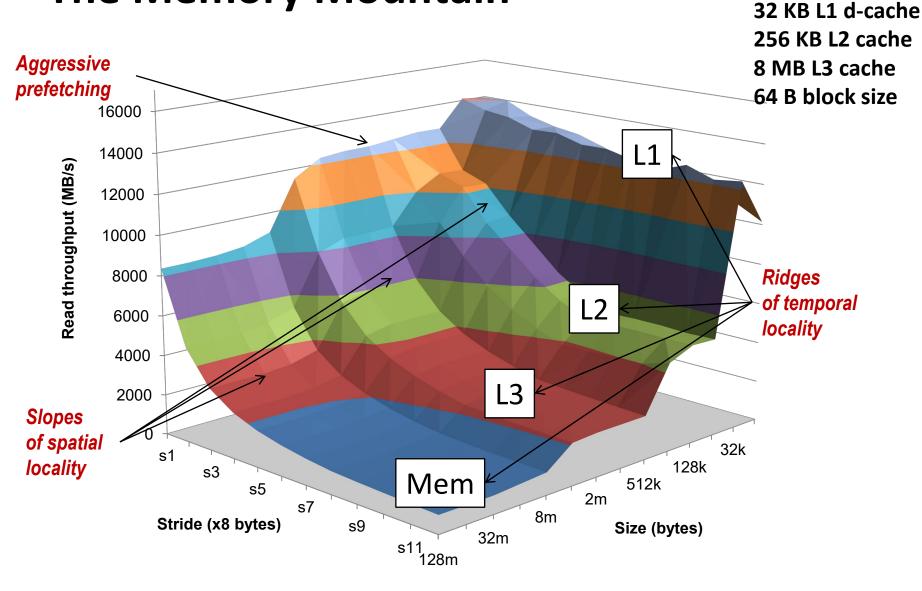
For each elems and stride:

- 1. Call test() once to warm up the caches.
- 2. Call test() again and measure the read throughput(MB/s)

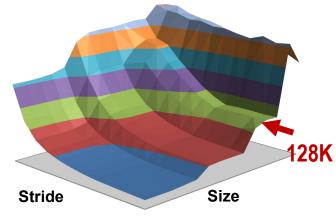
Core i7 Haswell

2.1 GHz

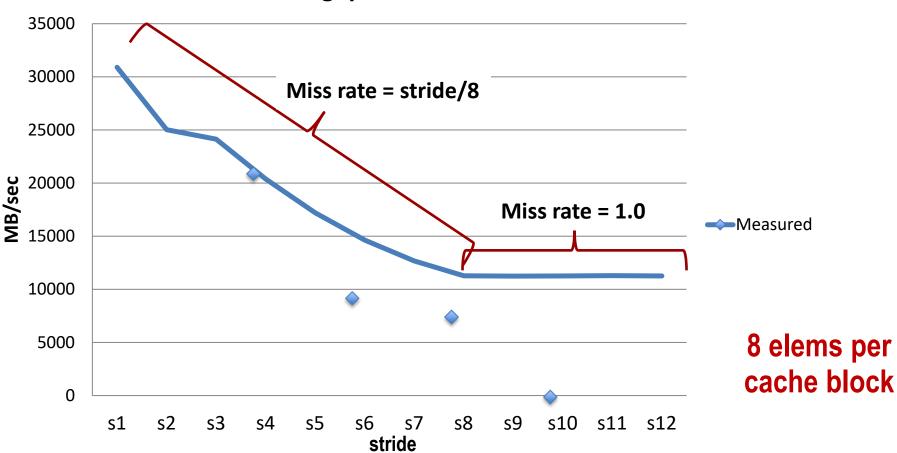
The Memory Mountain



Closer Look at Stride Effects







Today

- Cache organization and operation
- Performance impact of caches
 - The memory mountain
 - Rearranging loops to improve spatial locality
 - Using blocking to improve temporal locality

Matrix Multiplication Example

Description:

- Multiply N x N matrices
- Matrix elements are doubles (8 bytes)
- $O(N^3)$ total operations
- N reads per source element
- N values summed per destination
 - but may be able to hold in register

```
/* ijk */
for (i=0; i<n; i++) {
  for (j=0; j<n; j++) {
    sum = 0.0;
    for (k=0; k<n; k++)
       sum += a[i][k] * b[k][j];
    c[i][j] = sum;
  }
}

matmult/mm.c
```

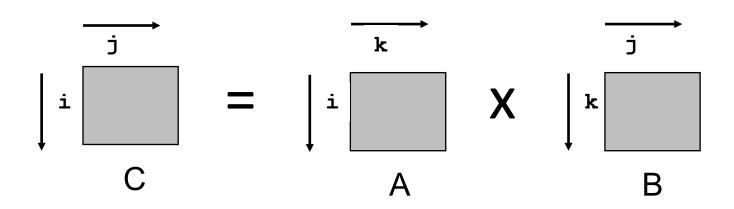
Miss Rate Analysis for Matrix Multiply

Assume:

- Block size = 32B (big enough for four doubles)
- Matrix dimension (N) is very large
 - Approximate 1/N as 0.0
- Cache is not even big enough to hold multiple rows

Analysis Method:

Look at access pattern of inner loop



Layout of C Arrays in Memory (review)

- C arrays allocated in row-major order
 - each row in contiguous memory locations
- Stepping through columns in one row:

```
for (i = 0; i < N; i++)
sum += a[0][i];</pre>
```

- accesses successive elements
- if block size (B) > sizeof(a_{ii}) bytes, exploit spatial locality
 - miss rate = sizeof(a_{ii}) / B
- Stepping through rows in one column:

```
for (i = 0; i < n; i++)
sum += a[i][0];</pre>
```

- accesses distant elements
- no spatial locality!
 - miss rate = 1 (i.e. 100%)

Matrix Multiplication (ijk)

```
/* ijk */
for (i=0; i<n; i++) {
  for (j=0; j<n; j++) {
    sum = 0.0;
    for (k=0; k<n; k++)
       sum += a[i][k] * b[k][j];
    c[i][j] = sum;
  }
}

matmult/mm.c</pre>
```

```
Inner loop:

(*,j)

(i,*)

B

C

↑

Row-wise Column-
wise
```

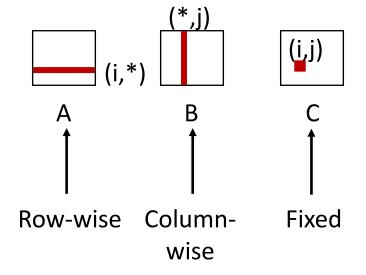
Miss rate for inner loop iterations:

<u>A</u> <u>B</u> <u>C</u> 0.25 1.0 0.0

Matrix Multiplication (jik)

```
/* jik */
for (j=0; j<n; j++) {
  for (i=0; i<n; i++) {
    sum = 0.0;
    for (k=0; k<n; k++)
       sum += a[i][k] * b[k][j];
    c[i][j] = sum
  }
}
    matmult/mm.c</pre>
```

Inner loop:



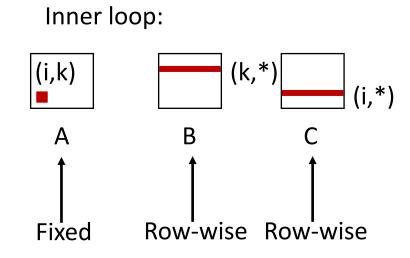
Misses per inner loop iteration:

<u>A</u> <u>B</u> <u>C</u> 0.25 1.0 0.0

Same analysis as ijk

Matrix Multiplication (kij)

```
/* kij */
for (k=0; k<n; k++) {
  for (i=0; i<n; i++) {
    r = a[i][k];
    for (j=0; j<n; j++)
        c[i][j] += r * b[k][j];
  }
}
matmult/mm.c</pre>
```

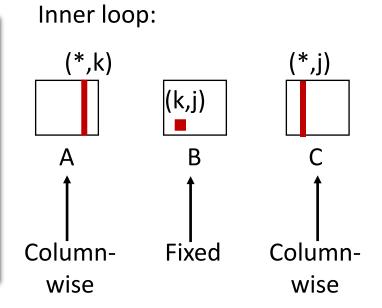


Miss rate for inner loop iterations:

<u>A</u> <u>B</u> <u>C</u> 0.0 0.25

Matrix Multiplication (jki)

```
/* jki */
for (j=0; j<n; j++) {
  for (k=0; k<n; k++) {
    r = b[k][j];
    for (i=0; i<n; i++)
        c[i][j] += a[i][k] * r;
  }
}
    matmult/mm.c</pre>
```



Miss rate for inner loop iterations:

<u>A</u> <u>B</u> <u>C</u> 1.0 0.0 1.0

Summary of Matrix Multiplication

```
for (i=0; i<n; i++) {
  for (j=0; j<n; j++) {
    sum = 0.0;
  for (k=0; k<n; k++)
    sum += a[i][k] * b[k][j];
  c[i][j] = sum;
}
</pre>
```

```
for (k=0; k<n; k++) {
  for (i=0; i<n; i++) {
    r = a[i][k];
  for (j=0; j<n; j++)
    c[i][j] += r * b[k][j];
}</pre>
```

```
for (j=0; j<n; j++) {
  for (k=0; k<n; k++) {
    r = b[k][j];
  for (i=0; i<n; i++)
    c[i][j] += a[i][k] * r;
}</pre>
```

ijk (& jik):

- 2 loads, 0 stores
- avg misses/iter = **1.25**

kij (& ikj):

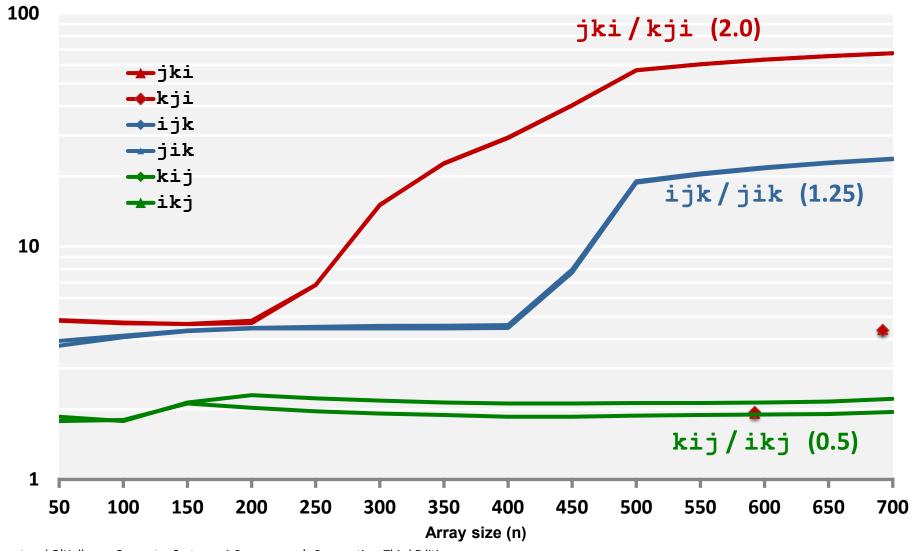
- 2 loads, 1 store
- avg misses/iter = **0.5**

jki (& kji):

- 2 loads, 1 store
- avg misses/iter = 2.0

Core i7 Matrix Multiply Performance

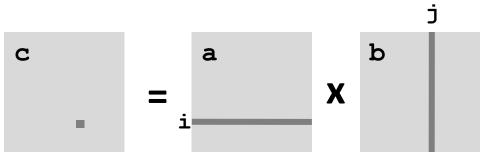
Cycles per inner loop iteration



Today

- Cache organization and operation
- Performance impact of caches
 - The memory mountain
 - Rearranging loops to improve spatial locality
 - Using blocking to improve temporal locality

Example: Matrix Multiplication



n

Cache Miss Analysis

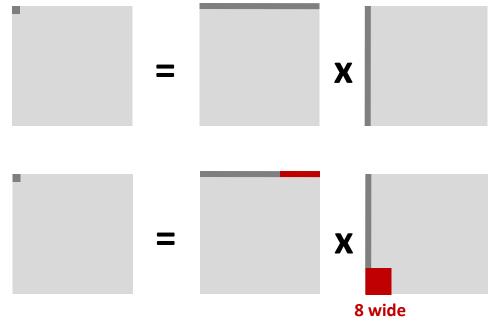
Assume:

- Matrix elements are doubles
- Cache line = 8 doubles
- Cache size C << n (much smaller than n)

First iteration:

• n/8 + n = 9n/8 misses

Afterwards in cache: (schematic)



n

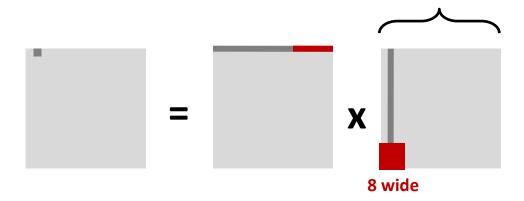
Cache Miss Analysis

Assume:

- Matrix elements are doubles
- Cache line = 8 doubles
- Cache size C << n (much smaller than n)

Second iteration:

• Again: n/8 + n = 9n/8 misses

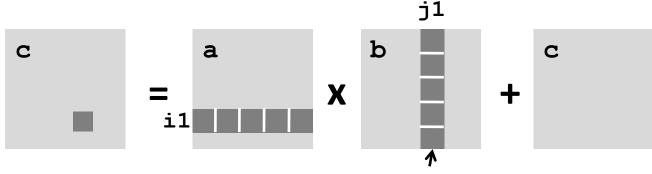


Total misses:

 $9n/8 n^2 = (9/8) n^3$

Blocked Matrix Multiplication

```
c = (double *) calloc(sizeof(double), n*n);
/* Multiply n x n matrices a and b */
void mmm(double *a, double *b, double *c, int n) {
    int i, j, k;
    for (i = 0; i < n; i+=L)
       for (j = 0; j < n; j+=L)
             for (k = 0; k < n; k+=L)
                /* L x L mini matrix multiplications */
                  for (i1 = i; i1 < i+L; i1++)
                      for (j1 = j; j1 < j+L; j1++)
                          for (k1 = k; k1 < k+L; k1++)
                              c[i1*n+j1] += a[i1*n + k1]*b[k1*n + j1];
                                                         matmult/bmm.c
```



n/L blocks

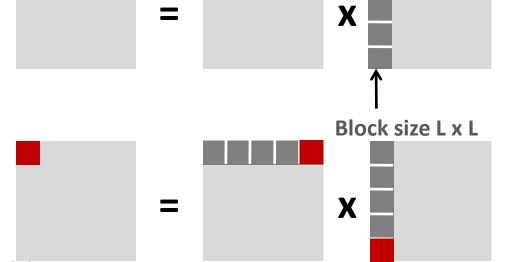
Cache Miss Analysis

Assume:

- Cache line = 8 doubles. Blocking size L ≥ 8
- Cache size C << n (much smaller than n)
- Three blocks fit into cache: 3L² < C</p>

First (block) iteration:

- Misses per block: L²/8
- Blocks per Iteration: 2n/L (omitting matrix c)
- Misses per Iteration: $2n/L \times L^2/8 = nL/4$
- Afterwards in cache (schematic)



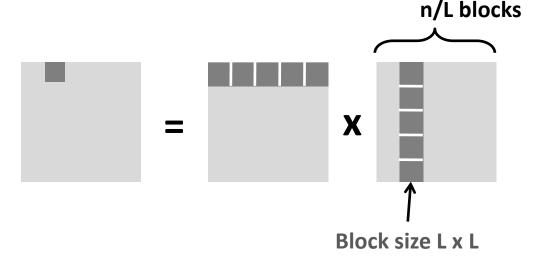
Cache Miss Analysis

Assume:

- Cache line = 8 doubles. Blocking size L ≥ 8
- Cache size C << n (much smaller than n)
- Three blocks fit into cache: 3L² < C</p>

Second (block) iteration:

- Same misses as first iteration
- $-2n/L \times L^2/8 = nL/4$



Total misses:

• nL/4 misses per iteration x $(n/L)^2$ iterations = $n^3/(4L)$ misses

Blocking Summary

- No blocking: (9/8) n³ misses
- Blocking: $(1/(4L)) n^3$ misses
- Use largest block size L, such that L satisfies 3L² < C
 - Fit three blocks in cache! Two input, one output.
- Reason for dramatic difference:
 - Matrix multiplication has inherent temporal locality:
 - Input data: $3n^2$, computation $2n^3$
 - Every array elements used O(n) times!
 - But program has to be written properly

Cache Summary

Cache memories can have significant performance impact

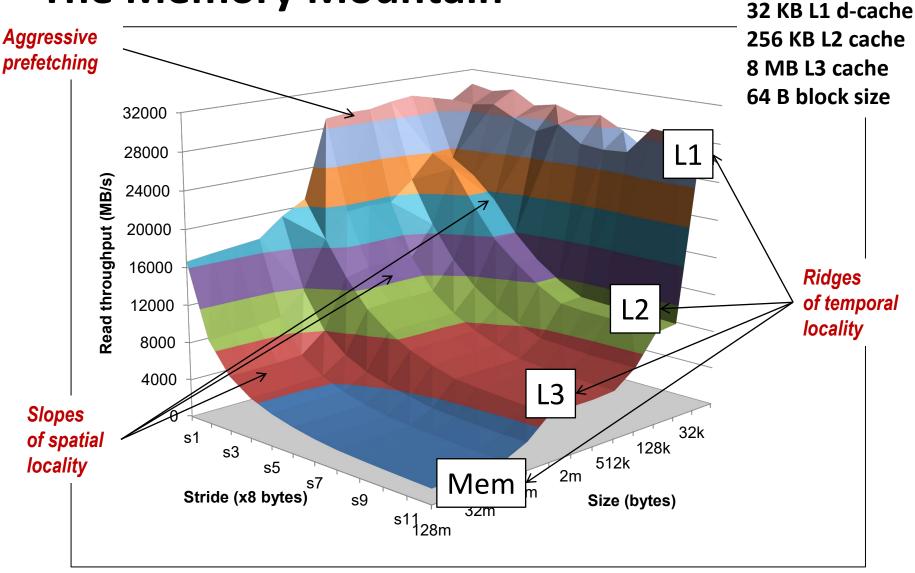
- You can write your programs to exploit this!
 - Focus on the inner loops, where bulk of computations and memory accesses occur.
 - Try to maximize spatial locality by reading data objects sequentially with stride 1.
 - Try to maximize temporal locality by using a data object as often as possible once it's read from memory.

Supplemental slides

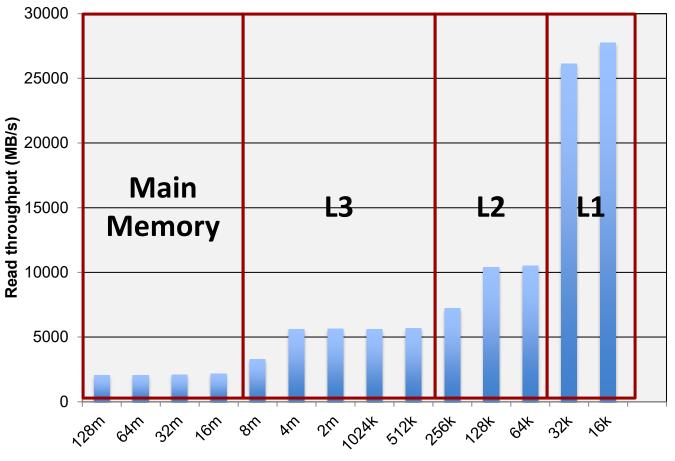
Core i5 Haswell

3.1 GHz

The Memory Mountain



Cache Capacity Effects from Memory Mountain



Core i7 Haswell
3.1 GHz
32 KB L1 d-cache
256 KB L2 cache
8 MB L3 cache
64 B block size

Slice through memory mountain with stride=8

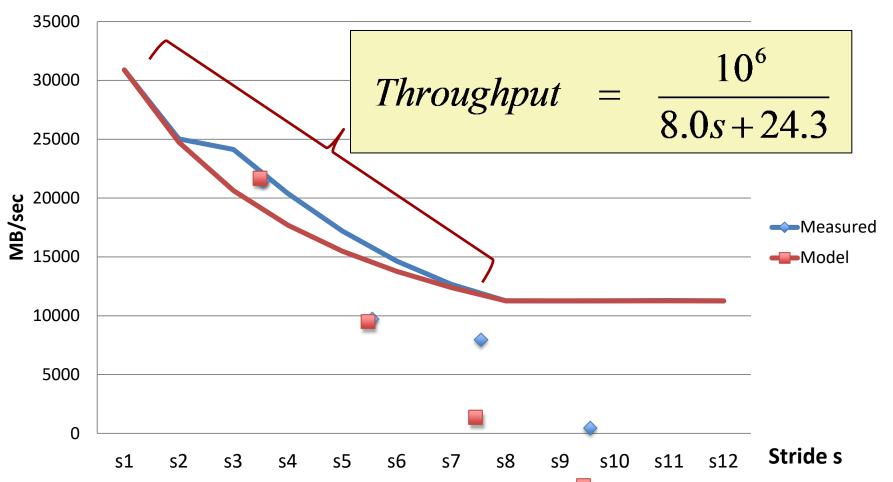
Working set size (bytes)

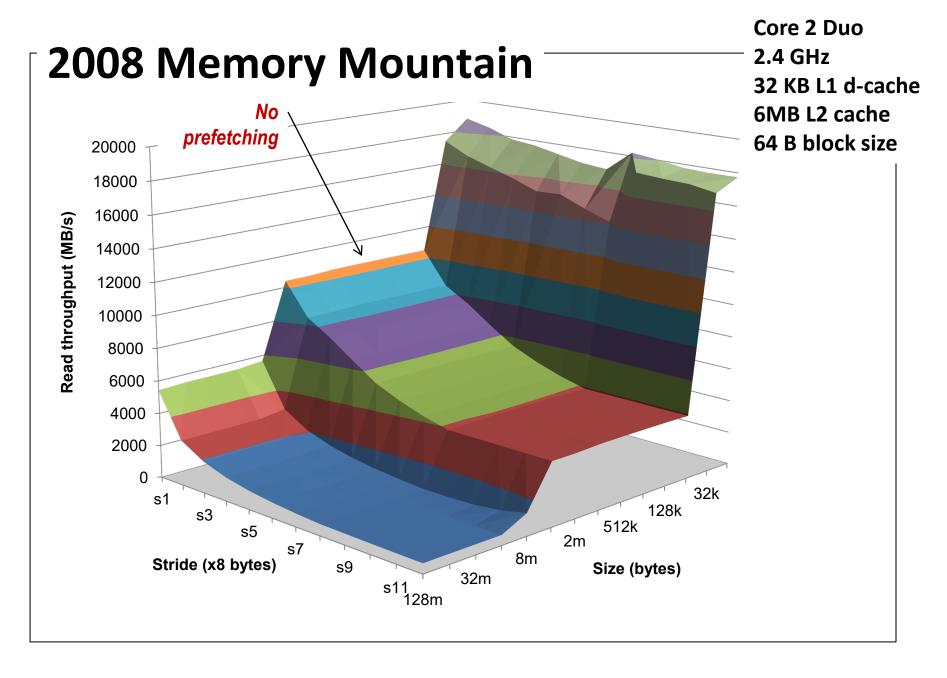
Modeling Block Size Effects from Memory Mountain

2.26 GHz
32 KB L1 d-cache
256 KB L2 cache
8 MB L3 cache
64 B block size

Core i7 Haswell

Throughput for size = 128K





Matrix Multiplication (ikj)

```
/* ikj */
for (i=0; i<n; i++) {
  for (k=0; k<n; k++) {
    r = a[i][k];
    for (j=0; j<n; j++)
        c[i][j] += r * b[k][j];
  }
}
matmult/mm.c</pre>
```

```
Inner loop:

(i,k)

A

B

C

↑

↑

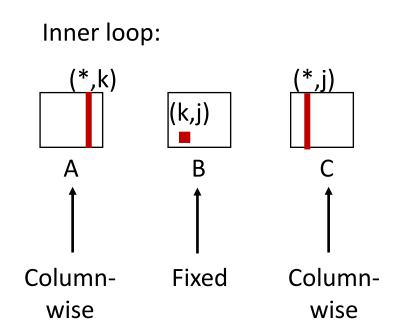
Row-wise Row-wise
```

Misses per inner loop iteration:

<u>A</u> <u>B</u> <u>C</u> 0.0 0.25 0.25

Matrix Multiplication (kji)

```
/* kji */
for (k=0; k<n; k++) {
  for (j=0; j<n; j++) {
    r = b[k][j];
    for (i=0; i<n; i++)
        c[i][j] += a[i][k] * r;
  }
}
    matmult/mm.c</pre>
```

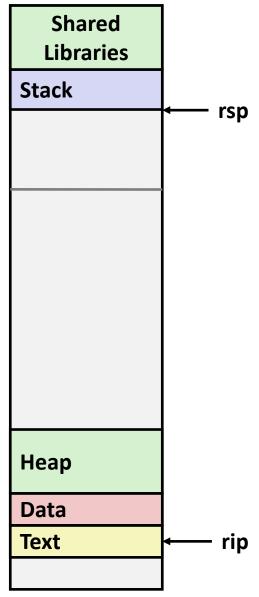


Misses per inner loop iteration:

<u>A</u> <u>B</u> <u>C</u> 1.0 0.0 1.0

Recap: Stack and instruction pointers

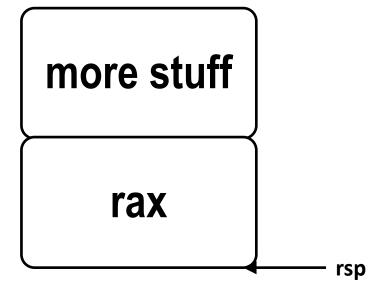
- The stack pointer (%rsp) points to the top of the stack
- The instruction pointer (%rip) points to the next instruction to be executed
- They are independent
 - But linked by call and ret instructions



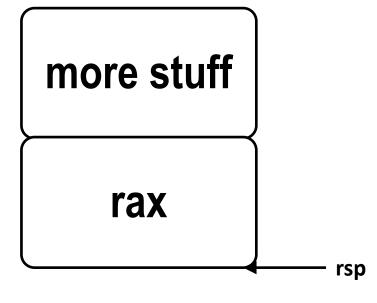
push %rax =



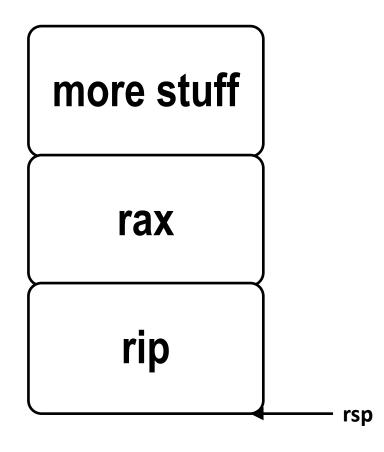
- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)



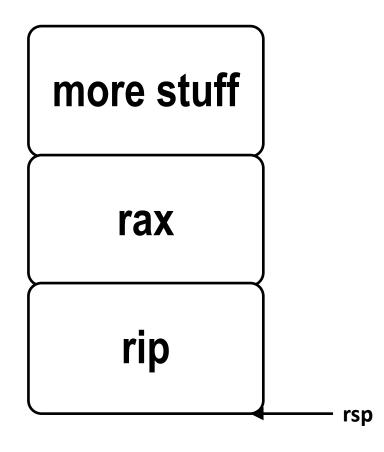
- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =



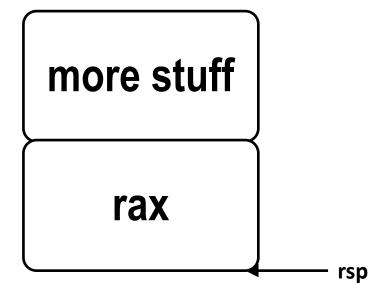
- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =
 - sub %rsp, 8
 - mov %rip, (%rsp)
 - jmp func



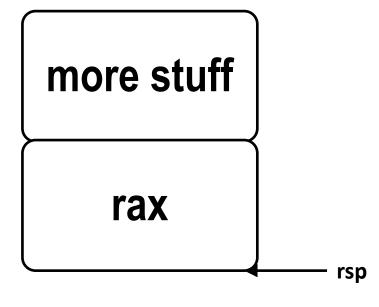
- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =
 - sub %rsp, 8
 - mov %rip, (%rsp)
 - jmp func
- ret =



- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =
 - sub %rsp, 8
 - mov %rip, (%rsp)
 - jmp func
- ret =
 - mov (%rsp), %rip
 - add %rsp, 8



- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =
 - sub %rsp, 8
 - mov %rip, (%rsp)
 - jmp func
- ret =
 - mov (%rsp), %rip
 - add %rsp, 8
- pop %rax =



- push %rax =
 - sub %rsp, 8
 - mov %rax, (%rsp)
- call func =
 - sub %rsp, 8
 - mov %rip, (%rsp)
 - jmp func
- ret =
 - mov (%rsp), %rip
 - add %rsp, 8
- pop %rax =
 - mov (%rsp), %rax
 - add %rsp, 8



rsp