# Simulation – Experiments and Trials

15-110 - Wednesday 11/20

### Announcements

- Check6-1 grades will be released tonight
  - Make sure to view your feedback on the programming part!
  - Check6-2 / Hw6 autograded functions will not be manually graded for partial credit
- Check6-1 Revisions due Monday 11/25 at noon
- Check6-2 due Monday 11/25 at noon
  - Don't forget to uncomment test cases at bottom of file!

# Help on Assignments

What to do when you're struggling?

- Post on Piazza
- Ask questions at office hours
- Attend a small group
- Collaborate with another student (following the rules in the syllabus!)
- Submit incomplete work
- Review lecture slides
- Take a break



# slide sign is my passion

Blame Mike if these slides aren't top-shelf

## Learning Goals

- Update a model after events (mouse-based and keyboard-based) based on rules
- Use Monte Carlo methods to estimate the answer to a question

### **Interaction Events**

#### An event represents a single user interaction

In the Simulation I lecture, we learned about the runRules(data, call) controller that can change a model over **time**.

The second kind of controller is one that captures events.

Events come in many forms: **keyboard presses**, **mouse clicks**, touchpad gestures, button presses, touchscreen presses, etc...

Controllers for these events have information about the type of the event (key press vs. mouse click), plus any additional information that might be useful (which key was pressed).



To deal with Key and Mouse events, we'll introduce two new rule functions:

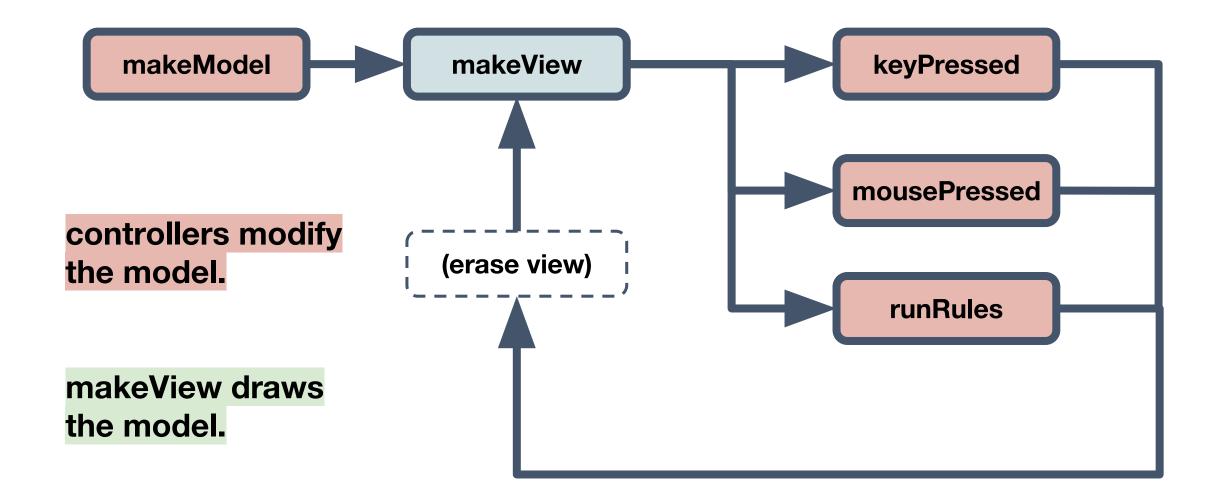
- keyPressed(data, event)
- mousePressed(data, event)

Each of these takes data (our components data structure) and event, an event object that contains the information about the event.

These work like runRules(data, call) – we update data, then the controller refreshes the view immediately afterwards. This lets us make visible changes to the model.



### Simplified Event Loop



#### keyPressed Events

In keyPressed, the event parameter contains two values we can access with a . (like string or list methods):

- event.char is a string that holds the character pressed
- event.keysym is a string that holds the 'name' of the character, for characters we can't show in a string (e.g., Enter or BackSpace)

If we want to draw the last-pressed character in the middle of the screen, for example, we would store that character in data, then draw it in makeView:

```
def keyPressed(data, event):
    data["text"] = event.char
```

### Example Key Event: Type Colors

```
def keyPressed(data, event):
    # build up a color string one char at a time until user presses Return
    if event.keysym != "Return":
        data["tmp"] += event.char
    else:
        # move the color into data["color"]
        data["color"] = data["tmp"]
        data["tmp"] = ""
```

mousePressed Events

In mousePressed, the event parameter holds the (x, y) pixel location where the user clicked on the canvas.

- event.x is the x location
- event.y is the y location

If we want to move a circle around the canvas to be centered wherever we click, we'd need to store the center location and draw the circle based on the model location in makeView:

```
def mousePressed(data, event):
    data["cx"] = event.x
    data["cy"] = event.y
```

### Example Mouse Event: Click to Change Color

```
def makeModel(data):
    data["color"] = "red"
def makeView(data, canvas):
    canvas.create_oval(200 - 50, 200 - 50, 200 + 50, 200 + 50,
                       fill=data["color"])
def mousePressed(data, event):
    import random
    newColor = random.choice(["red", "orange", "yellow",
                               "green", "blue", "purple"])
   # Check if the user clicked inside the circle
    # Is the distance between the center and the click less than the radius?
    if ((event.x - 200)^{**2} + (event.y - 200)^{**2})^{**0.5} <= 50:
        data["color"] = newColor
```

# Monte Carlo Methods

**Randomness in Simulation** 

Many simulations use randomness in some way. For example, we might use randomness to simulate a coin flip.

A single run of a random simulation is not enough to understand the behavior of a complex system.

Running a simulation many times can improve our understanding of the system without having to do lots of math. Law of Large Numbers

The Law of Large Numbers states that if you perform an experiment multiple times, the average of the results will approach the **expected value** of the true answer as the number of trials grows.

We can calculate the expected value of an experiment by simulating it a large number of times and averaging the results.

We call programs that repeat simulations this way **Monte Carlo methods**, after the famous gambling district in the French Riviera. We're gambling with the accuracy of the answer.

### Monte Carlo Method Structure

If we put our simulation code in the function **runTrial** and want to find the odds that a simulation 'succeeds', a Monte Carlo method might take the following format:

```
def getExpectedValue(numTrials):
    count = 0
    for trial in range(numTrials):
        result = runTrial() # run a new simulation
        if result == True: # check the result
            count = count + 1
        return count / numTrials # return the probability
```

### Monte Carlo Example

Every year, SCS holds the Random Distance Race. The length of this race is determined by rolling two dice. What is the expected number of laps a runner will need to complete?

```
import random
def runTrial():
    return random.randint(1, 6) + random.randint(1, 6)
```

```
def getExpectedValue(numTrials):
    lapCount = 0
    for trial in range(numTrials):
        lapCount += runTrial()
        return lapCount / numTrials
```

### Hash collision example

From Midterm2:

Each scenario below contains a data set, a hash function, and which values will need to be looked up in the hashtable. Select **all** the scenarios where you will generally be able to **look up the given values in constant time** and **with the correct result**.

Given a set of string passwords, hash a password by multiplying together the numeric ASCII values of all the characters in the password. Use the hashtable to look up an individual password.

...What's the likelihood of a hash collision? (Code will be posted on the course schedule)

# **Testing Simulations**

### **Using Simulations**

Once we've programmed a robust simulation, we can **change the starting state** to see how it changes the simulation. This is especially useful when we want to **predict** certain things about the world.

We can check predictions more quickly by making timeRate smaller (calling the simulation more often).

We've included on the course website a pre-written simulation that models a zombie apocalypse. Let's use this as an example of how to make predictions by using Monte Carlo methods with simulations.

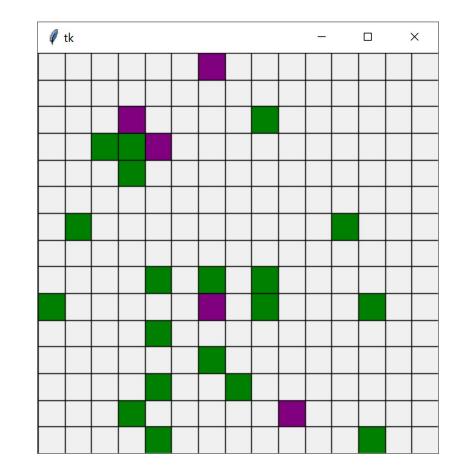
#### **Zombie Simulation**

This simulation models the world as a grid. Each cell of the grid can be empty (grey) or can have a human (green) or a zombie (purple) on it.

At every time step, the zombies move in a random direction while the humans stay still (they're hiding). If a zombie is bordering a human, there is an infection rate (a **probability**) for whether the human will turn into a zombie or not. The simulation prints the number of days that full infection took when all entities are zombies.

Here are a few questions we can ask: how long will it take for the whole world to become zombies...

- In our current code?
- If we start with more or fewer humans?
- If we start with a higher/lower infection rate?



**Calculating Outcomes** 

If we want to explore the simulation, we can run it with the visualization on.

If we just want to find the **average results**, we can call the **makeModel** and **runRules** functions from a new function where the time loop becomes a while loop. Have that function return the number of days it takes to zombify all the humans.

When we run this function with getExpectedValues we find the expected amount of time left for the human race. Monte Carlo solves the problem!

### **Calculating Outcomes Code**

```
def runTrial():
    data = { }
    makeModel(data) # initial setup
    daysPassed = 0
    while not allZombies(data["creatures"]): # while loop instead of time loop
        runRules(data, daysPassed)
        daysPassed += 1
    return daysPassed
```

```
def getExpectedValue(numTrials):
    dayCount = 0
    for trial in range(numTrials):
        dayCount += runTrial()
    return dayCount / numTrials
```

```
print(getExpectedValue(100))
```

## Learning Goals

- Update a model after events (mouse-based and keyboard-based) based on rules
- Use Monte Carlo methods to estimate the answer to a question

### Sidebar: Controller Functions – Event Loop

The event controller runs an **event loop** to capture the signals that the computer sends out, similar to the time loop discussed in the previous lecture. However, events occur **irregularly**, unlike regularly-timed rules.

To implement this event loop, we'll have our simulation system constantly **listen** for events. When an event occurs, the controller will catch it and send the event data on to the correct rule function; that function will tell the view to update. This is done with a special kind of Tkinter function called **bind** and is provided in the starter code.

With Tkinter we can listen for and bind functions to lots of different event types. We'll care about just two: <Key>, a key press, and <Button-1>, a left mouse click. There are lots of other Tkinter events we can implement if we want them:

https://web.archive.org/web/20190512164300id /http://infohost.nmt.edu/tcc/help/p ubs/tkinter/web/event-types.html