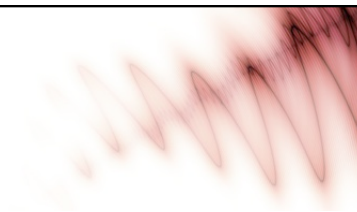


FM EXAMPLES

Exploring the sound world of FM synthesis

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Examples

- See Code 4 (code_4.sal)

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Why FM Synthesis?

- We've already seen wavetable or table-lookup synthesis:
 - Very efficient
 - Create any harmonic spectrum
 - Simple frequency and amplitude control
- What's missing?
 - Time-varying control over the spectrum
 - Inharmonic spectra
- Various Approaches:
 - Synthesize each sinusoid separately – tedious, costly
 - Filter the output of table – useful, but only harmonic output
 - FM Synthesis

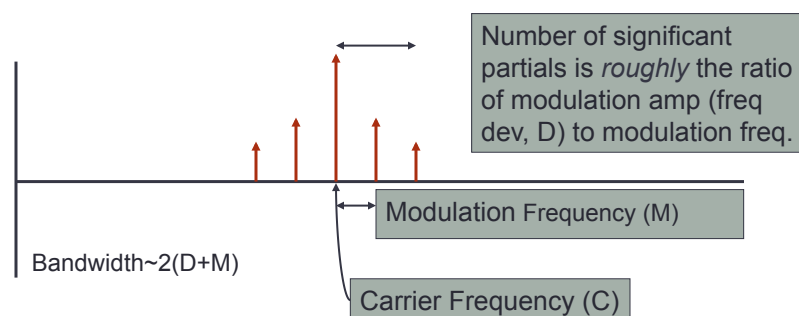
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FM Synthesis

- When modulation frequency is in the audio range, interesting things happen.



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Mathematics of FM

- The exact amplitudes of the partials generated by FM are described by Bessel functions
- These functions are messy, their evolution is messier, and there is no simple way to invert the functions
- Many lives of FM:
 - 1967-1968 Invented by John Chowning, patented 1975
 - 1983-1986: Yamaha DX7 160,000 sold
 - 1990-1995: IBM PC-compatible Sound Cards
 - 2000's: FM synthesis provides polyphonic ring tones

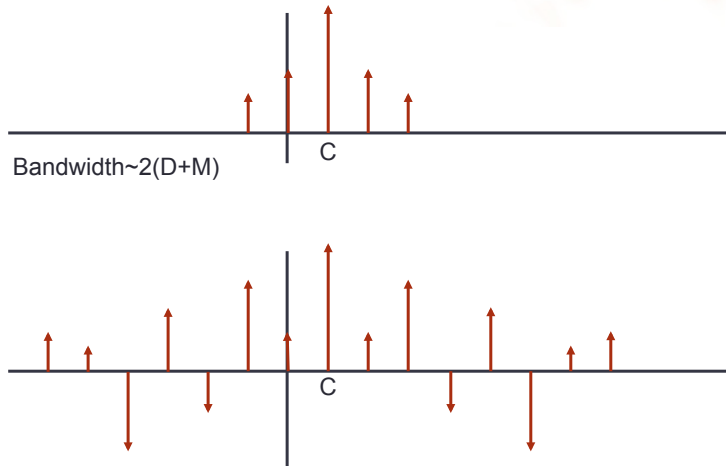
FM and Harmonics

- Generated frequencies are:

$$C \pm nM$$
- Where C = "Carrier" and M = Modulator
- Simplest case: C = M
- Generated frequencies are:

$$C+nM \text{ gives us } C, 2C, 3C, 4C, \dots$$
- What about negative frequencies?

FM and Harmonics (2)

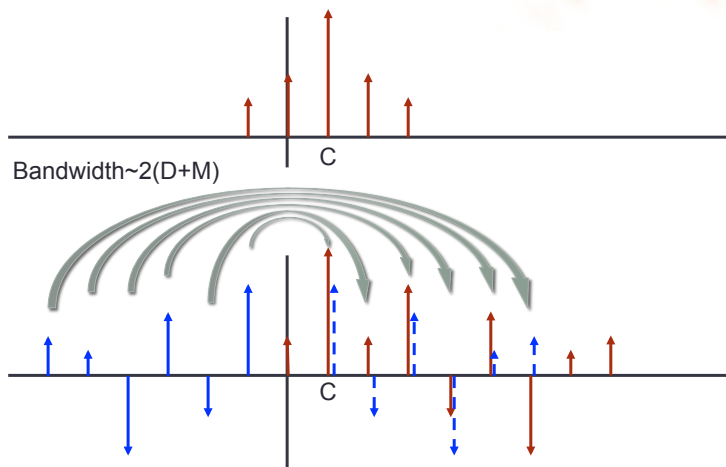


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FM and Harmonics (3)



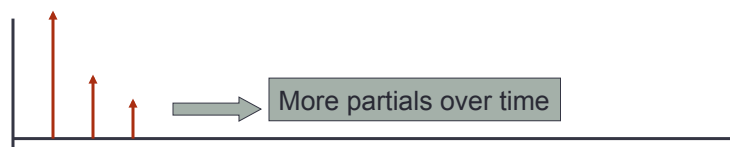
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Classic FM brass sound

- Characterized by a rise in upper partials
- Generated by increasing depth of modulation
- Uses 1:1 Carrier:Modulation frequency



- See example in `code_4.htm`

Odd Harmonics

$$C \pm nM$$

- Let $M = 2C$
- Resulting frequencies are $C, 3C, 5C, \dots$
- Negative frequencies are $-C, -3C, -5C, \dots$
- Try it...

Other Harmonic Schemes

$$C \pm nM$$

- Let $M = i/j \times C$, for small integers i and j
- Let $F = C/j$, then $M = iF$
- $C = jF$, $C+M = (i+j)F$, $C+2M = (2i+j)F$, etc.
- All frequencies are harmonics (integer multiples) of F
- Try it...

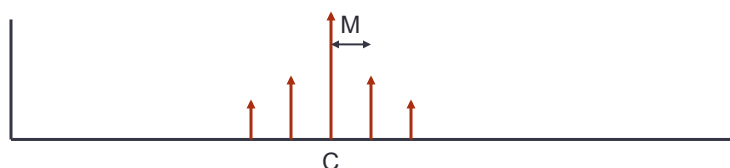
Inharmonic Partial

$$C \pm nM$$

- Let $M = \text{not } i/j \times C$
- Resulting frequencies are not harmonics
- Negative frequencies are not harmonics
- Try it...

Formants

- Resonances (especially in the vocal tract) emphasize frequencies around the resonant frequency
- We can simulate resonances (and voice) by placing a carrier near the desired resonant frequency and modulating it to create nearby harmonics:



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Summary

- FM Synthesis
 - Time varying spectra
 - Low cost (simplest case is only 2 oscillators)
 - Simple parametric control
 - Musically useful results
- FM Control
 - Carrier:Modulator ratio
 - Harmonic or inharmonic spectra
 - Odd or all harmonics
 - Formants
 - Depth of modulation
 - Number of partials

See examples
in code_4.sal

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